# First Idea on Bunch to Bucket Transfer for FAIR

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#### Abstract

The FAIR facility makes use of the Bunch phase Timing system (BuTis) and the General Machine Timing (GMT) system to realize synchronization of two synchrotrons. Under the assumption of the slightly detuned frequency in both machines, the source and target machine exchange information shortly before the transfer and make use of frequency beating pattern to realize synchronization with accuracy better than 1°. Each involved machines sends data including rf frequency, phase of first harmonics, harmonic number and bunch/bucket position to the other machine at the same time via the timing system. After exchanging information, both machines have the complete information and can calculate the exact transfer time independently and locality. and locally

#### **GSI** Accelerator



FAIR complex will consist of 12 accelerators First Stage ■UNILAČ ■SIS18

Beams Anti protons Protons to uranium

■SIS100 ■...

Energy: Energy: Design ion beam: U<sup>28+</sup> with 2.7 GeV/u 5x10<sup>11</sup> Ions/Cycle Protons up to 29 GeV/u Heavy ion beams up to about 11 GeV/u

FAIR timing system: BuTis and GMT The GMT and BuTis systems are coupled.



### Bunch to bucket transfer

A bunch of particles must be extracted from the source machine to be injected in the centre of a bucket of the target machine.(eg. the figure below shows the  $U^{28+}$  transfer from SIS18 to SIS100, eight of ten the target machine.(eg. buckets will be injected)



#### Synchronization two synchrotrons

RF frequency beating eg.  $f_{\tau}^{SS18} + \Delta f$  and  $f_{\tau}^{SS100}$ (Measured value of SIS18 rf zero - crossing point  $t_{18}$ ) =  $t_{18best}$  ( $\partial t_{18}$ ) (Measured value of SIS100 rf zero - crossing point  $t_{100}$ ) =  $t_{100best}$  ( $\delta t_{100}$ )

■t<sub>18best</sub> < t<sub>100best</sub> ■t<sub>18best</sub> > t<sub>100best</sub>

$$\begin{split} t_{100heat} &+ n \times \frac{1}{f_{\tau f}^{353100}} = t_{18heat} + (n+1) \times \frac{1}{f_{\tau f}^{35318} + \Delta f} & t_{100heat} + n \times \frac{1}{f_{\tau f}^{353100}} = t_{18heat} + n \times \frac{1}{f_{\tau f}^{35318} + \Delta f} \\ n &= \frac{t_{100heat} - t_{18heat} - \frac{1}{f_{\tau f}^{53318} + \Delta f}}{\frac{1}{f_{\tau f}^{535100}}} & n = \frac{t_{100heat} - t_{18heat}}{\frac{1}{f_{\tau f}^{53518} + \Delta f} - \frac{1}{f_{\tau f}^{555100}}} \end{split}$$

$$t_{syn} = \frac{(f_{rf}^{SIS18} + \Delta f) \times t_{18hear} - f_{rf}^{SIS100} \times t_{100hear} + 1}{(f_{rf}^{SIS18} + \Delta f) - f_{rf}^{SIS100}} \quad t_{syn} = \frac{(f_{rf}^{SIS18} + \Delta f) \times t_{18hear} - f_{rf}^{SIS100}}{(f_{rf}^{SIS18} + \Delta f) - f_{rf}^{SIS100}}$$

Δf The frequency detuning of SIS18

The metabolic decoding of SISI8/SIS100  $t_{sm}$  The best estimation time for synchronization  $t_{sbeet}$ ,  $t_{subbert}$ . The adjacent timestamps of zero crossing point of two rf signals in The number of rf cycles of SIS100 to realize synchronization

Control group Distributes accelerator events Distributes accelerator event
 Distributes absolute time
 defines time standard for CS Sub ns precision / synchronization One global timing master

 RF group
 Distributes high precision clocks for rf systems 100ps/km accuracy/ synchronization
 One global BuTiS center

Bunch phase timing system (BuTiS ):

 $\Delta f) \times t_{18best} - f_{rf}^{SIS100} \times t_{100best}$ 

General machine timing system (GMT):



$$\frac{\Delta f^{2}}{2 \times [(f_{rf}^{int8} + \Delta f) \times (t_{18bear} - t_{100bear})] \times (t_{18bear} - t_{100bear})}{\Delta f^{3}} \times \delta f^{2}$$

$$\delta t_{syn} \approx 14.143 \, us$$

# Tasks

Time requirement for synchronization < 20ms Linux OS: program latency  $\approx$  60ms Need hard real-time system Soft-Core LM32 in FPGA



#### Conclusion

This setup theoretically simulates the synchronization of two synchrotrons, with accuracy of 1°. It paves the way for the further bunch to bucket transfer.

GSI

## Matching



Stationary bucket in phase space

The green dots (a, b, c) show the trajectory for an injection energy error. Phase matching The red dots (1, 2, 3) show the trajectory for an injection phase

error. The blue dot with energy and phase matching

The phase offset within uncertainty window  $[t_{syn}$  -  $\delta t_{syn}, \, t_{syn*} \, \delta t_{syn}]$  is near 1°. which meets the phase requirement.

On each machine, a FAIR receiver node of the timing systemis coupled to the rf-system. When triggered by an event of the timing system, each node measures the rf-phase with respect to the absolute tin ie. Bv exchanging these two measured values, each obtains the phase difference of bucket and bunch in the two

## machines Example

Test setup

$$f_{rf}^{SIS18} + \Delta f = 1MHz + 100Hz$$
  $f_{rf}^{SIS100} = 1MHz$ 

$$\partial t = \partial t_{18} = \partial t_{100} = 1 ns \qquad \qquad \partial f \approx 0 Hz \quad \text{when ff signal is derived from Butis}$$

Matching means: Energy matching

$$= \{\frac{(f_{q'}^{\pm i100})^{2} + (f_{q'}^{\pm i18} + \Delta f)^{2}}{\Delta f^{2}} \times \tilde{\alpha}^{2} + \frac{2 \times [(f_{q'}^{\pm i18} + \Delta f) \times (t_{1kber} - t_{100bert}) + 1]^{2}}{\Delta f^{4}} \times \tilde{\alpha}^{2} + \frac{2 \times [(f_{q'}^{\pm i18} + \Delta f) \times (t_{1kber} - t_{100bert})^{2}}{\Delta f^{4}} \times \tilde{\alpha}^{2}\}^{\frac{1}{2}}$$
Uncertainty for
$$\times [(f_{q'}^{\pm i18} + \Delta f) \times (t_{1kber} - t_{100bert}) + 1] \times (t_{1kbert} - t_{100bert}) \times \tilde{\alpha}^{2} + \frac{(t_{100bert} - t_{100bert})^{2}}{\Delta f^{2}} \times \tilde{\alpha}^{2}\}^{\frac{1}{2}}$$
Uncertainty for
$$\times [(f_{q'}^{\pm i18} + \Delta f) \times (t_{1kbert} - t_{100bert}) + 1] \times (t_{1kbert} - t_{100bert}) \times \tilde{\alpha}^{2} + \frac{(t_{100bert} - t_{100bert})^{2}}{\Delta f^{2}} \times \tilde{\alpha}^{2}\}^{\frac{1}{2}}$$
Uncertainty for
$$\times [(f_{q'}^{\pm i18} + \Delta f) \times (t_{1kbert} - t_{100bert}) + 1] \times (t_{1kbert} - t_{100bert}) \times \tilde{\alpha}^{2} + \frac{(t_{100bert} - t_{100bert})^{2}}{\Delta f^{2}} \times \tilde{\alpha}^{2}]^{\frac{1}{2}}$$
Uncertainty for
$$\times [(f_{q'}^{\pm i18} + \Delta f) \times (t_{1kbert} - t_{100bert}) ] \times (t_{1kbert} - t_{100bert}) \times \tilde{\alpha}^{2} + \frac{(t_{100bert} - t_{100bert})^{2}}{\Delta f^{2}} \times \tilde{\alpha}^{2}]^{\frac{1}{2}}$$

$$\frac{2 \times [(f_{ij}^{auto} + \Delta f) \times (t_{18beur} - t_{100beur})] \times (t_{18beur} - t_{100beur})}{\Delta f^3} \times \delta f^2}{3 \delta t_{syn}} \approx 14.143 \, us \frac{10ms}{360^\circ} \approx 27.7 \, us \, / \, deg \, ree$$