



Wir schaffen Wissen – heute für morgen

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**Thermal Design of Power Electronic Circuits**

**CERN Accelerator School 2014, Baden, Switzerland**

# Motivation

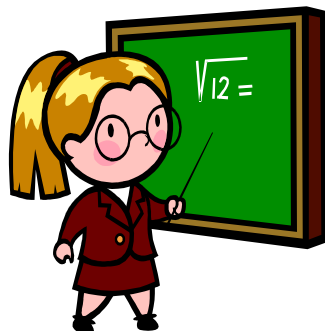


**Statement in a meeting:**

**“The converter works as specified, there are just a couple of tests missing to check its thermal behavior.”**

**Statement in the follow-up meeting 2 weeks later:**

**“We could only test up to 50% of the rated power, otherwise the converter would have been burnt away.”**

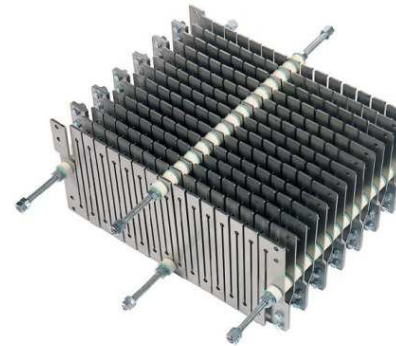


**Lesson learnt:**

**Take the losses and the heat dissipation issues into account **from the very beginning!****

- Resistors

- Continuous load
  - Sufficient heat transfer to ambient
  - Temperature  $\approx$  stable
- Pulsed load
  - Absorb energy during pulses  
→ sufficient active material
  - Temperature  $\neq$  stable
  - Limited repetition rate



- Cables

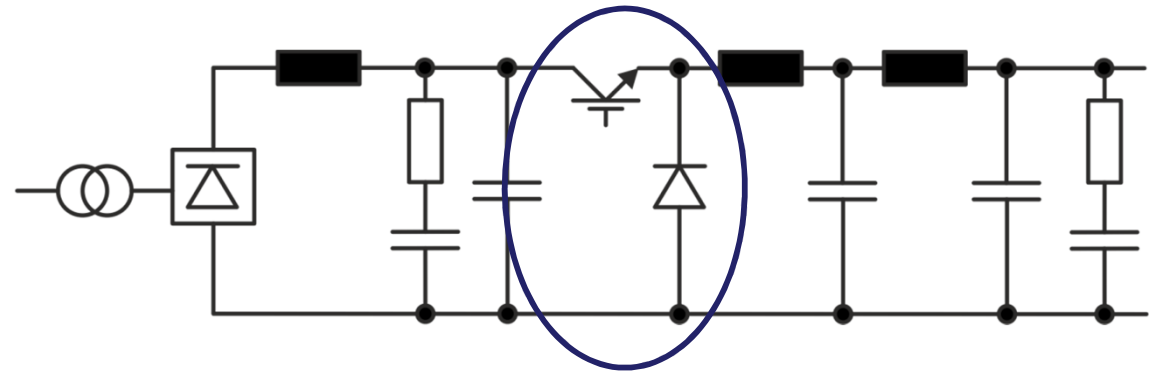
- Use sufficient cross section → additional investment vs. loss costs
- Skin effect
  - Skin depth in Cu @ 1kHz: 2.1mm
  - @ 10kHz: 0.7mm

- Core losses
  - Eddy current losses
    - Iron sheet cores  $f < 1\text{kHz}$
    - Powder cores  $f < 10\text{kHz}$
    - Ferrite cores  $f > 10\text{kHz}$
  - Hysteresis losses
    - Proportional to the area of the hysteresis curve and the frequency
  - Core losses in transformers
    - Designed to have a minimized hysteresis curve area
    - Losses increase with frequency
    - Losses are also present at zero load
  - DC-chokes
    - Are built to store a lot of energy → hysteresis curve spans a large area
    - Core losses depend on amplitude and frequency of the ripple current

- Winding losses
  - Arise from the ohmic resistance of the winding
  - Dissipated power is proportional to  $I^2$
  - Winding resistance increases approx. 0.4% per K (for Cu)
- Keep losses and temperatures low because
  - Higher temperatures cause even higher losses
  - Wasted energy
  - Costs of the wasted energy
  - Costs for recooling
  - Lower temperatures increase the life time
  - The investments will be returned

- IGBT losses
  - Conduction losses
  - (Blocking losses)
  - Switching losses (ON and OFF)

Example:



FF600R06ME3 [1]

- Diode losses
  - Conduction losses
  - (Blocking losses)
  - Switching losses (Recovery losses)

$$V_{DC} = 250V$$

$$I_{Out} = 200A @ m = 0.8$$

$$f_s = 20kHz$$

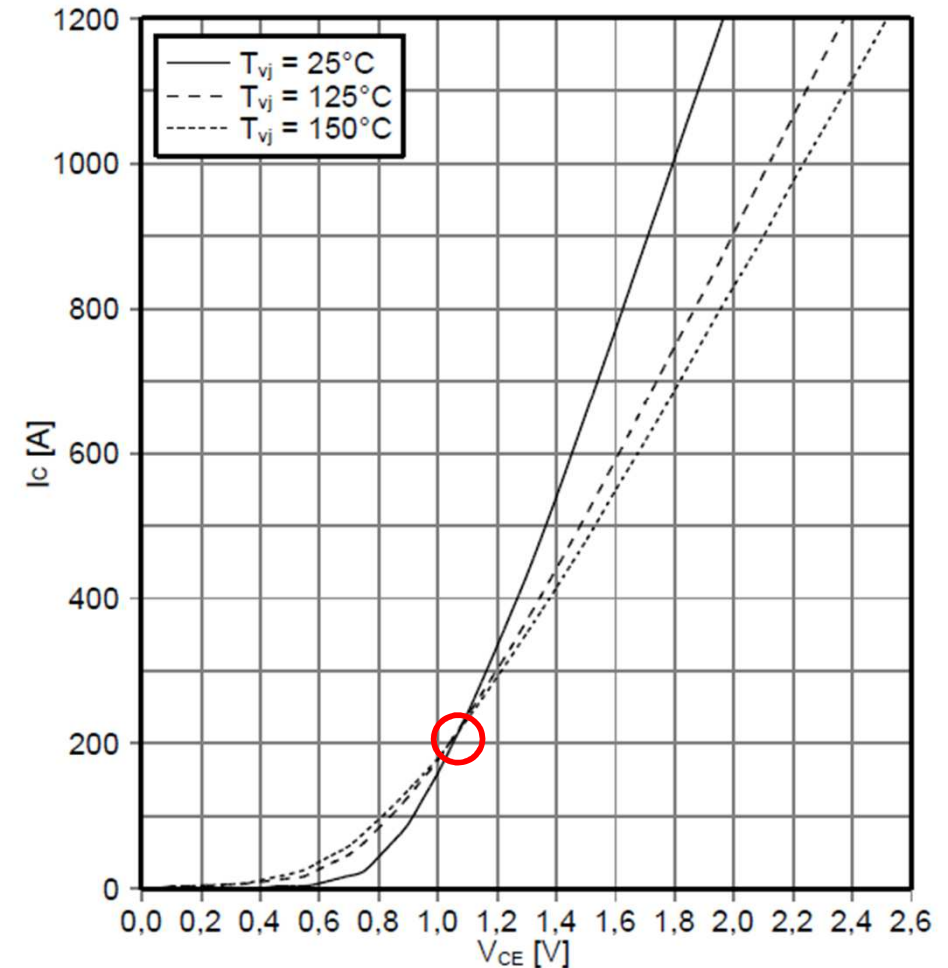
## Conduction losses IGBT:

$$P_{CI} = m \cdot I_{out} \cdot V_{CE}$$

Note:  $V_{CE}$  depends on the junction temperature

$$P_{CI} = 0.8 \cdot 200A \cdot 1.1V = 176W$$

Ausgangskennlinie IGBT, Wechselrichter (typisch)  
output characteristic IGBT, Inverter (typical)  
 $I_C = f(V_{CE})$   
 $V_{GE} = 15V$



## Switching losses IGBT:

$$P_{SI} = f_s \cdot (E_{on} + E_{off}) \cdot \left(\frac{V_{DC}}{V_{ref}}\right)^{K_V} \cdot K_T$$

with  $K_V = 1.3 \dots 1.4$

and  $K_T = 1 + 0.003K^{-1} \cdot (T_J - T_{Ref})$  [2]

In our example we assume  $T_J \approx 90^\circ\text{C}$

$$K_T = 1 + 0.003K^{-1} \cdot (90 - 125)$$

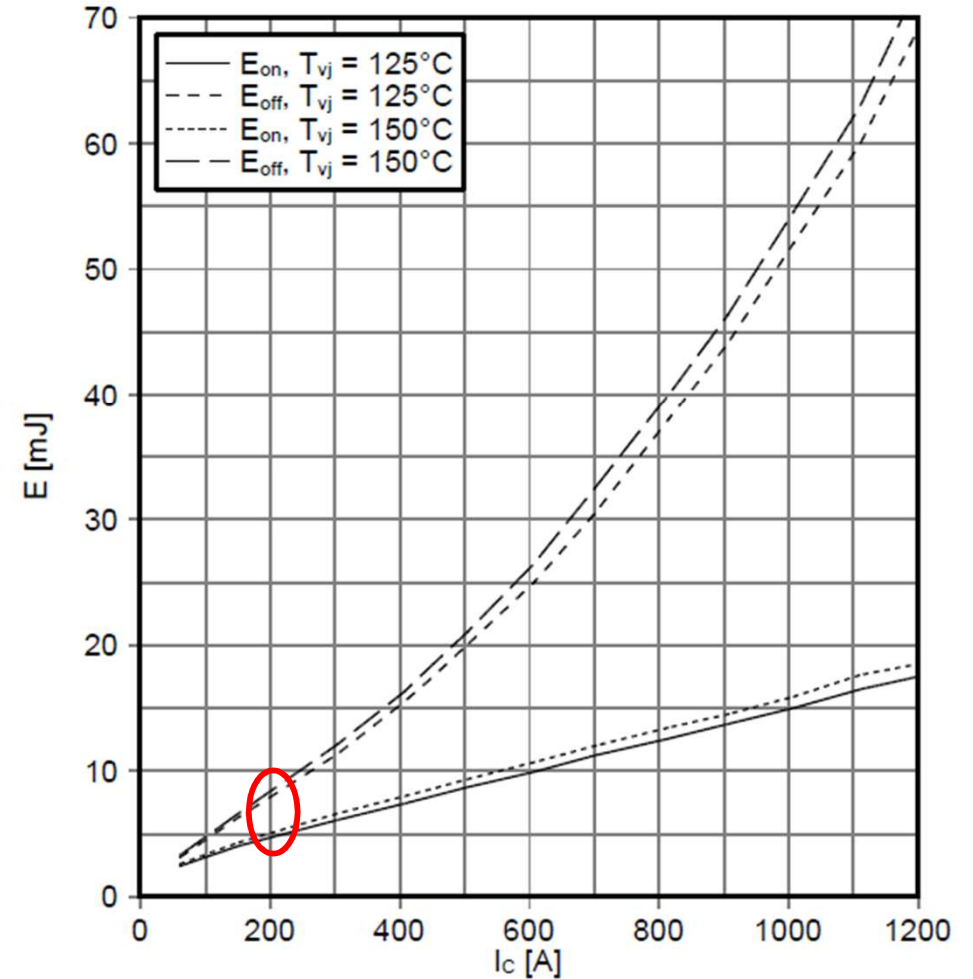
$$K_T = 0.895$$

$$P_{SI} = 20'000s^{-1} \cdot (5 + 8) \cdot 10^{-3}J \cdot \left(\frac{250V}{300V}\right)^{1.35} \cdot 0.895 = 182 W$$

Schaltverluste IGBT, Wechselrichter (typisch)  
switching losses IGBT, Inverter (typical)

$$E_{on} = f(I_c), E_{off} = f(I_c)$$

$$V_{GE} = \pm 15 V, R_{Gon} = 2.4 \Omega, R_{Goff} = 2.4 \Omega, V_{CE} = 300 V$$





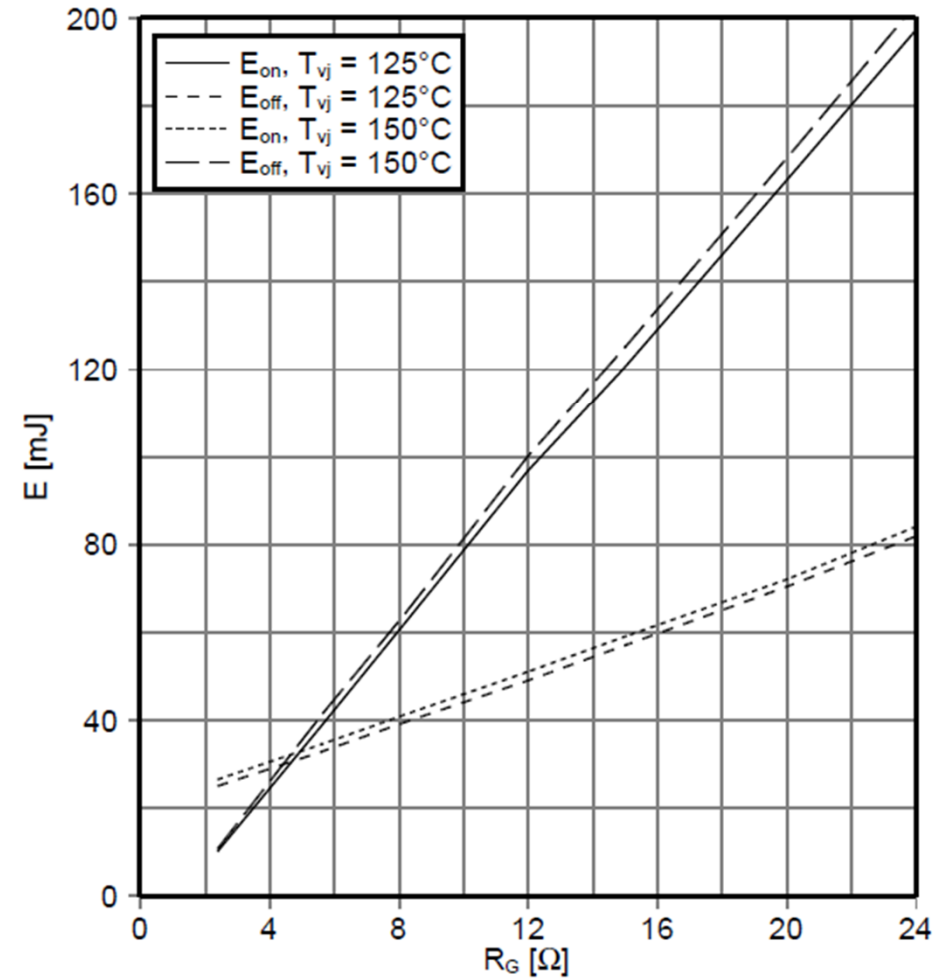
# Heat Sources: IGBT losses

Schaltverluste IGBT, Wechselrichter (typisch)

switching losses IGBT, Inverter (typical)

$E_{on} = f(R_G)$ ,  $E_{off} = f(R_G)$

$V_{GE} = \pm 15 \text{ V}$ ,  $I_c = 600 \text{ A}$ ,  $V_{CE} = 300 \text{ V}$



A softer switching (higher gate resistance) increases the switching losses dramatically

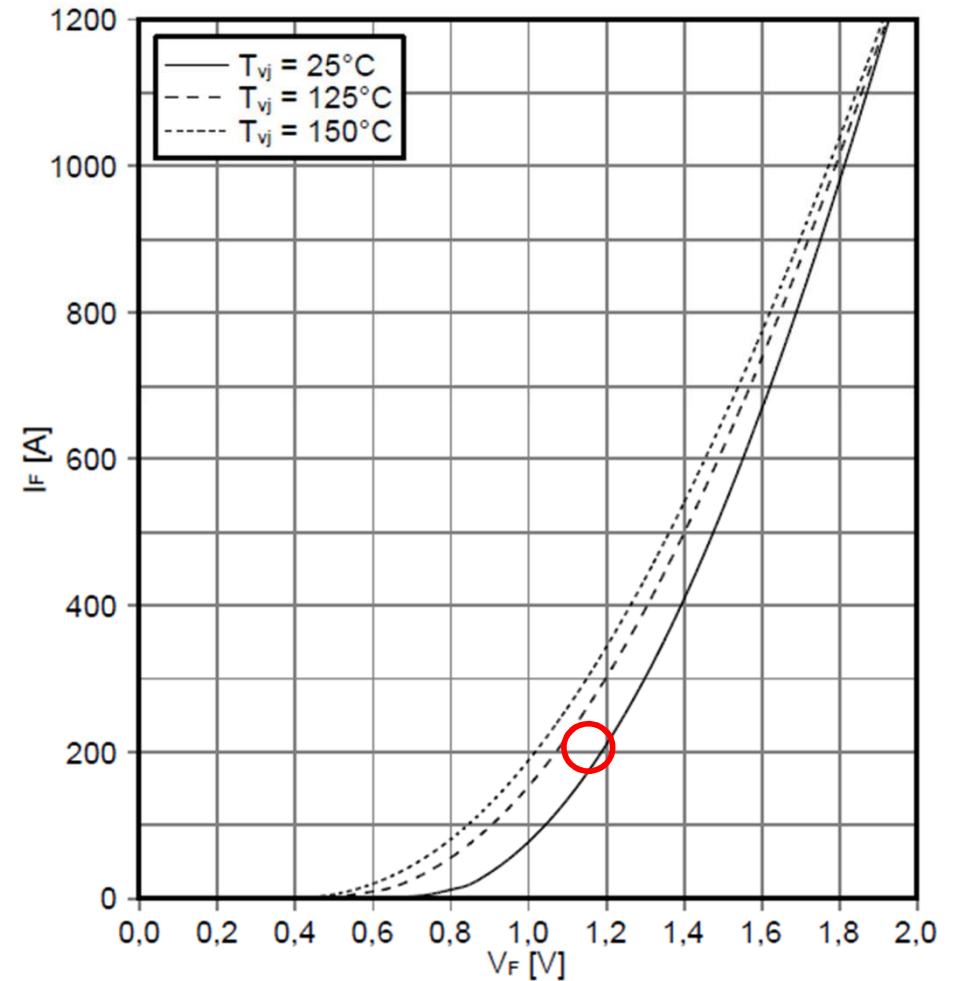
## Conduction losses Diode

$$P_{CD} = (1 - m) \cdot I_{out} \cdot V_F$$

Note: Negative temperature coefficient!

$$P_{CD} = (1 - 0.8) \cdot 200A \cdot 1.15V = 46W$$

Durchlasskennlinie der Diode, Wechselrichter (typisch)  
forward characteristic of Diode, Inverter (typical)  
 $I_F = f(V_F)$



## Switching losses Diode

$$P_{SD} = f_s \cdot E_{Rec} \cdot \left( \frac{V_{DC}}{V_{ref}} \right)^{K_v} \cdot K_T$$

with  $K_V = 0.6$

and  $K_T = 1 + 0.006K^{-1} \cdot (T_J - T_{Ref})$  [2]

In our example we assume  $T_J \approx 90^\circ\text{C}$

$$K_T = 1 + 0.006K^{-1}(90 - 125)$$

$$K_T = 0.79$$

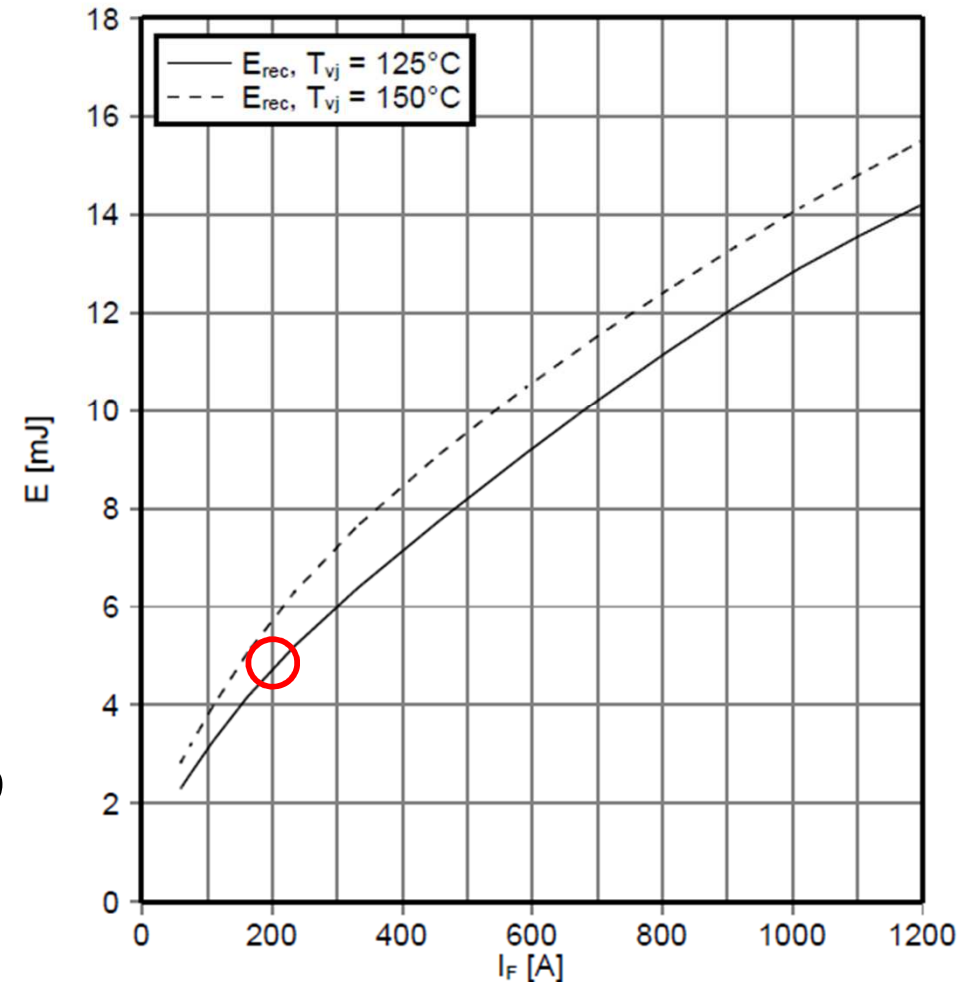
$$P_{SD} = 20'000\text{s}^{-1} \cdot 5 \cdot 10^{-3}\text{J} \cdot \left( \frac{250\text{V}}{300\text{V}} \right)^{0.6} \cdot 0.79$$

$$= 71\text{ W}$$

Schaltverluste Diode, Wechselrichter (typisch)  
switching losses Diode, Inverter (typical)

$$E_{rec} = f(I_F)$$

$$R_{Gon} = 2.4 \Omega, V_{CE} = 300\text{ V}$$



# Heat Sources: Diode losses

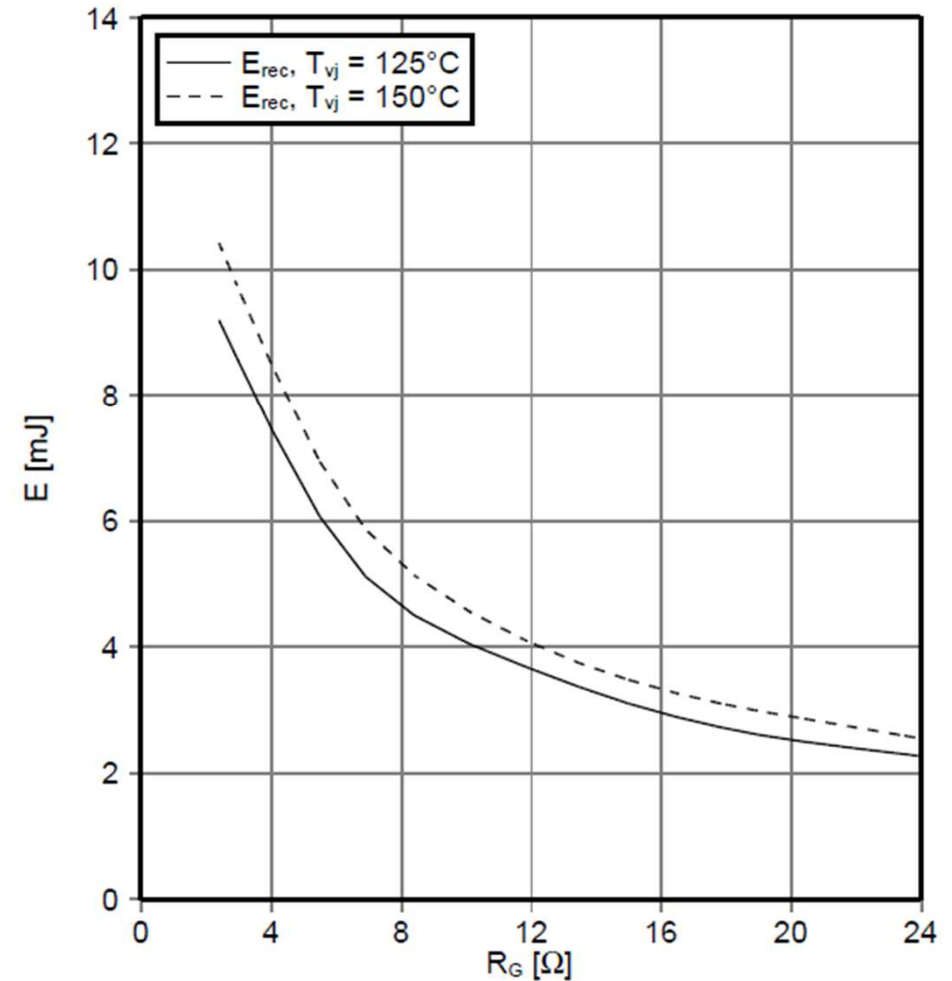
Schaltverluste Diode, Wechselrichter (typisch)

switching losses Diode, Inverter (typical)

$$E_{rec} = f(R_G)$$

$$I_F = 600 \text{ A}, V_{CE} = 300 \text{ V}$$

In contrary to the IGBT, a softer switching (higher gate resistance) reduces the switching losses of the freewheeling diode remarkably.



## IGBT losses

$$P_I = P_{CI} + P_{SI}$$

$$P_I = 176W + 182W = 358W$$

## Diode losses

$$P_D = P_{CD} + P_{SD}$$

$$P_D = 46W + 71W = 117W$$

## Total losses per module

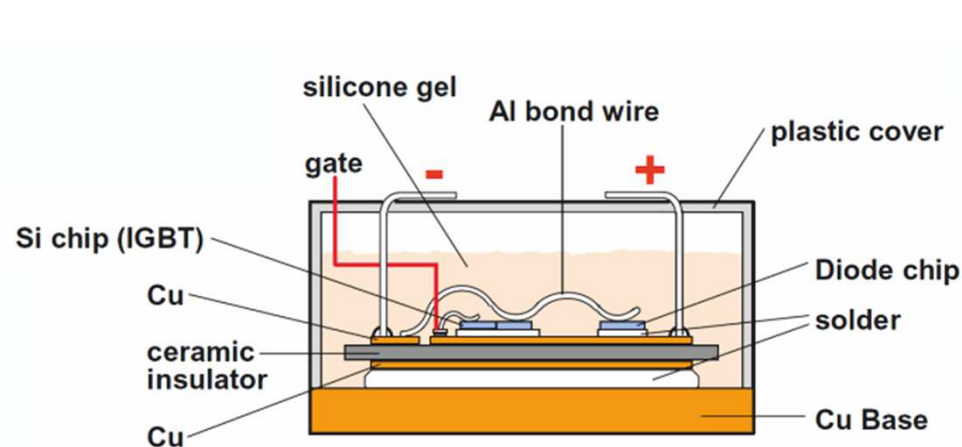
$$P = P_I + P_D$$

$$P = 358W + 117W = 475W$$

# Heat transfer: Packages

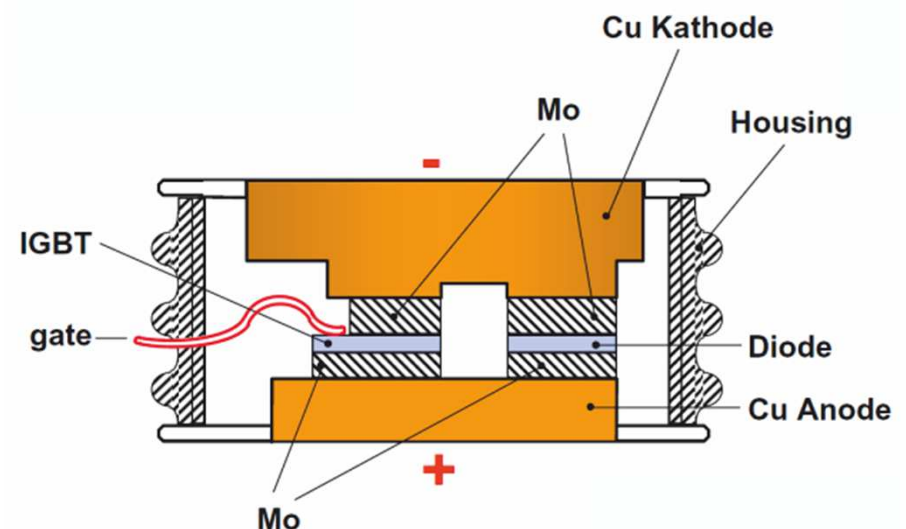
- Isolated module package

- Isolated Cu Base
  - 1 heat sink for several devices
  - Heat sink on ground potential
- Solder contacts
- Cooling from one side only
- Open circuit after failure
  - Parallel connection

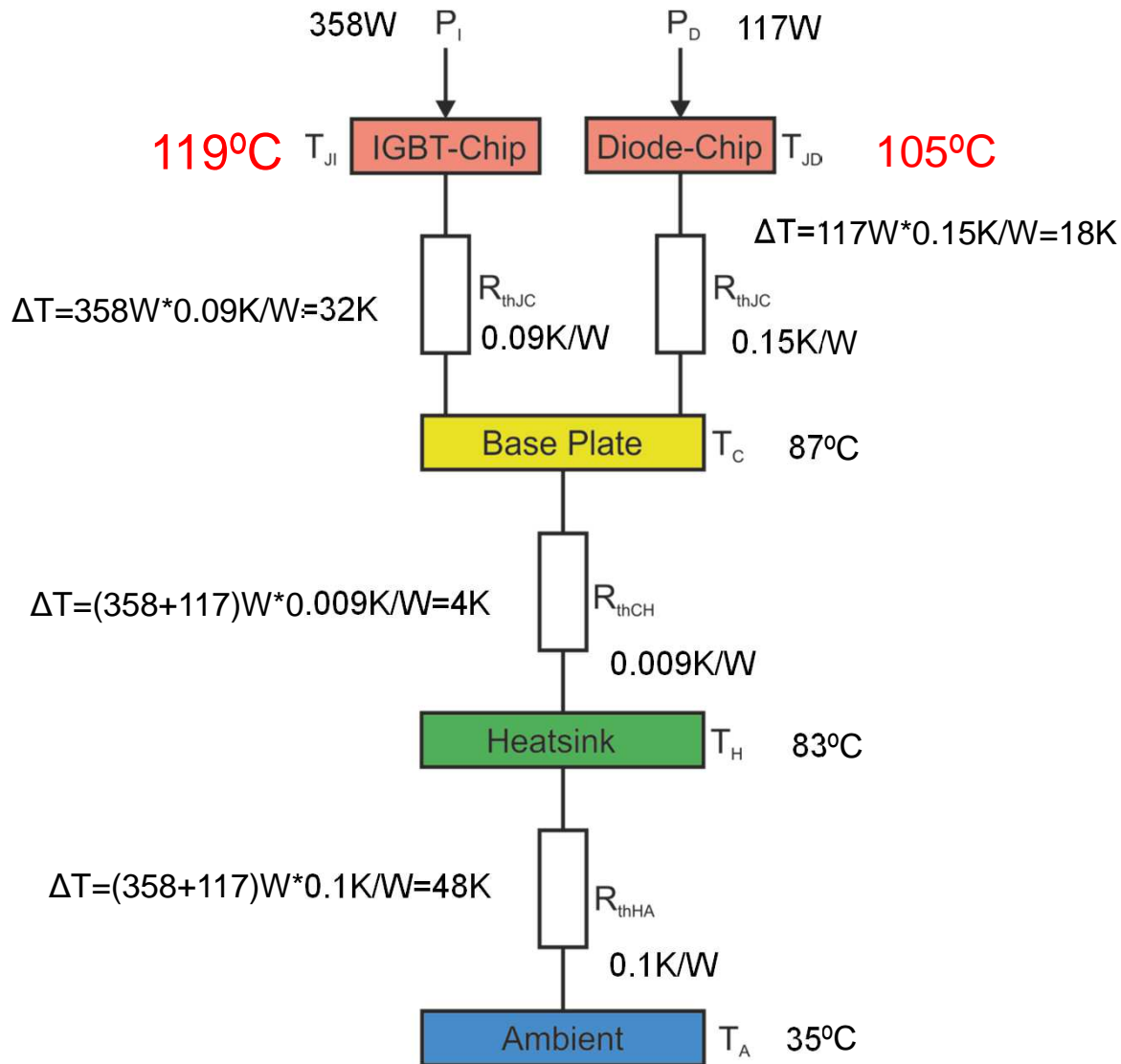


- Press pack devices

- Cooling via power terminals
  - Individual heat sinks for all devices
  - Heat sink on high voltage
- Presspack contacts
- Cooling from both sides
- Short circuit after failure
  - Series connection

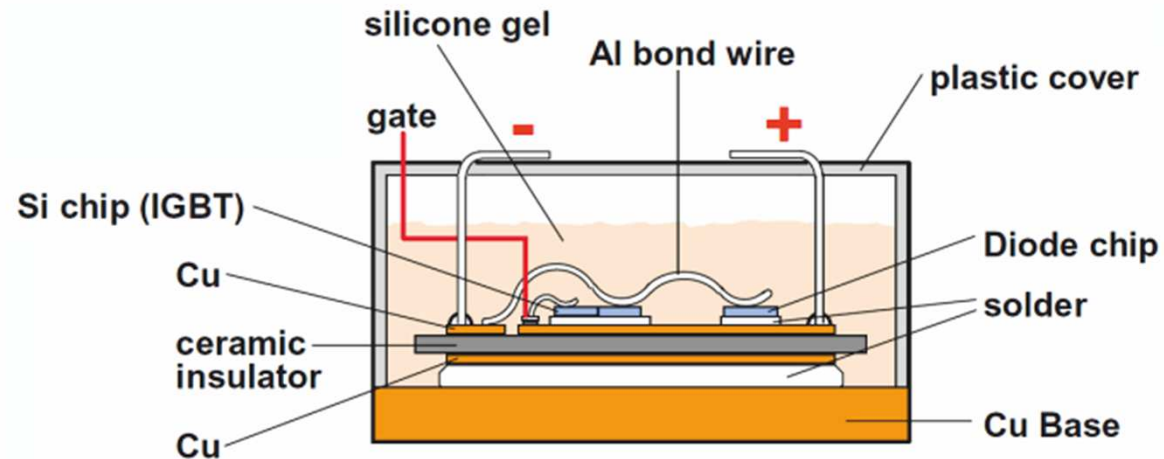


# Heat transfer: Temperatures

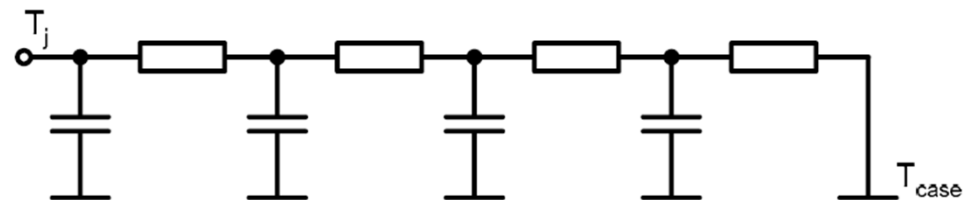


- Maximum ambient temperature
- Get thermal resistances from module data sheet
- Get thermal resistance from heat sink supplier
- IGBT- and diode-losses from calculation
- Calculate heatsink temperature
- Calculate base plate temperature
- Calculate diode and IGBT chip temperatures
- **There should be a safety margin of min. 25K!**

# Transient thermal impedence



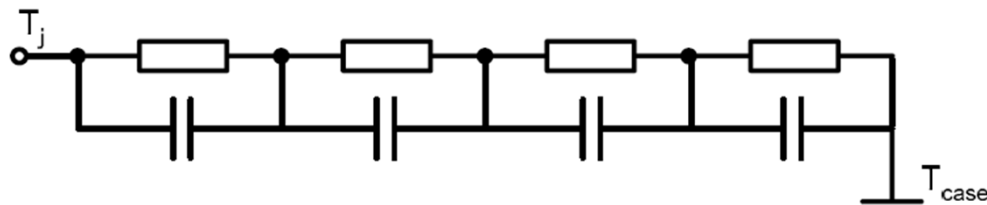
Continued fraction circuit (Cauer model)





# Transient thermal impedance

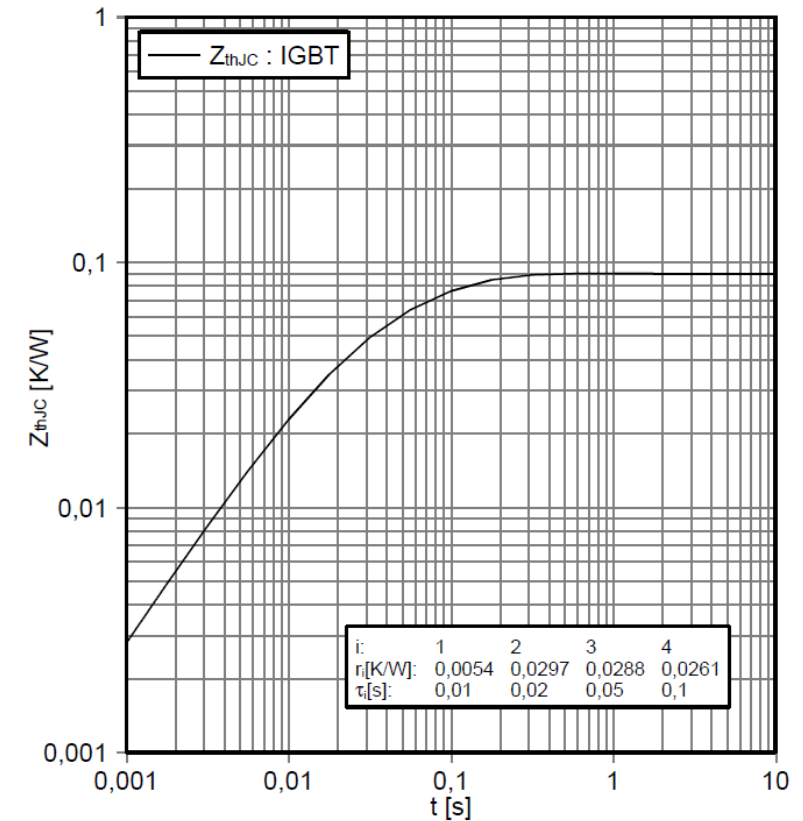
## Partial fraction circuit (Foster model)



$$Z_{thjc}(t) = \sum_{i=1}^n r_i \cdot \left(1 - e^{-\frac{t}{\tau_i}}\right)$$

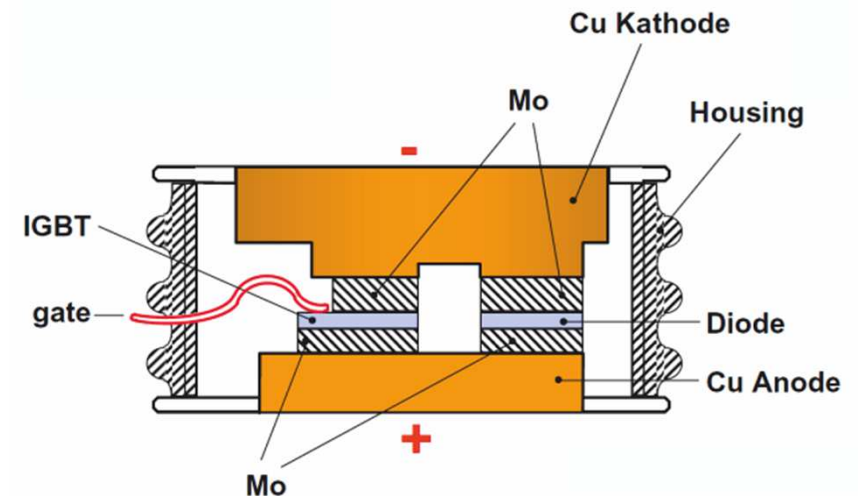
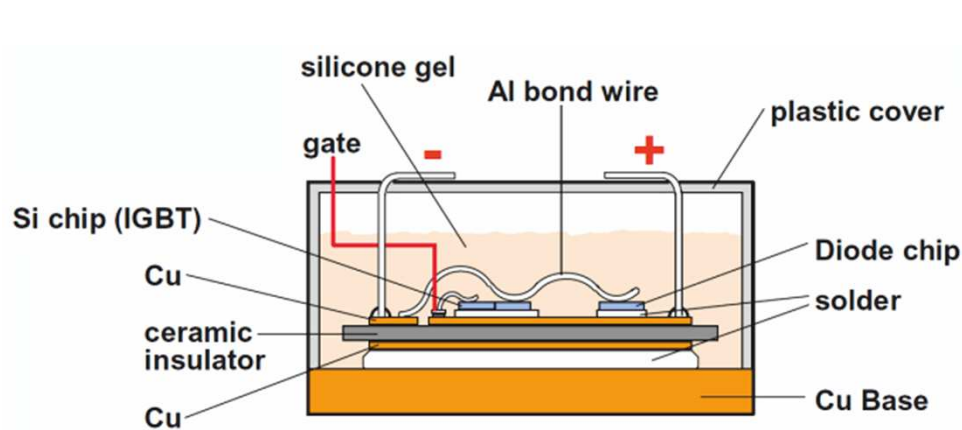
$$T_j(t) = P(t) \cdot Z_{thjc}(t) + T_{case}(t)$$

Transienter Wärmewiderstand IGBT, Wechselrichter  
transient thermal impedance IGBT, Inverter  
 $Z_{thjc} = f(t)$



# Stacking of different materials

Material	Expansion coefficient $\alpha$ [ $10^{-6}/K$ ]
Silicon	4.1
Copper	17
Aluminum	24
Molybdenum	5
Solder	15 - 30
Ceramic	5 - 9



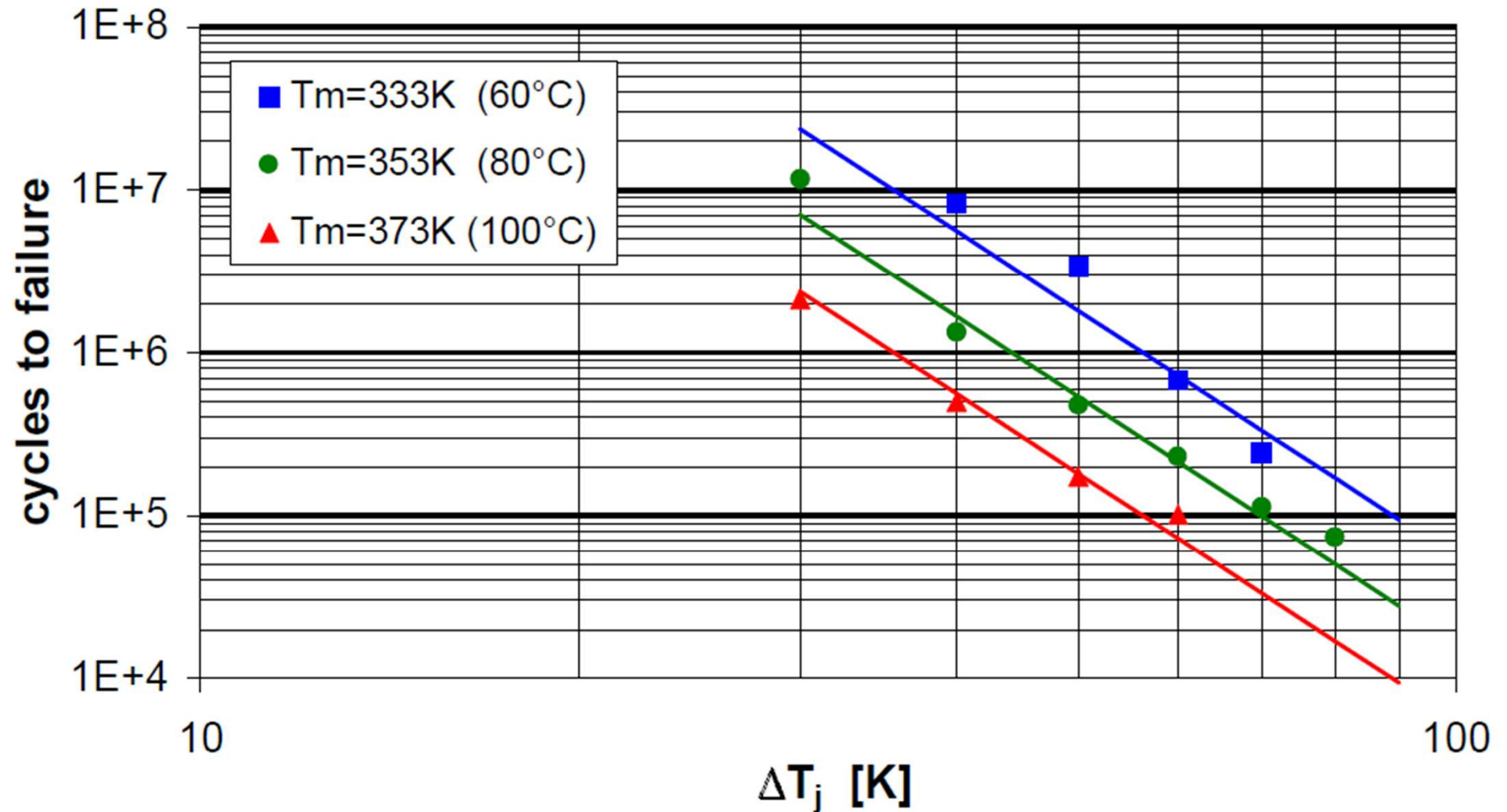
- Power Cycling

- Temperature variations of the silicon chips (fast)
- Causes mechanical stress to bond wires
- Bond wires lift off
- $V_{CE}$  increases
- Losses increase
- Larger temperature variations
- Device fails

- Thermal Cycling

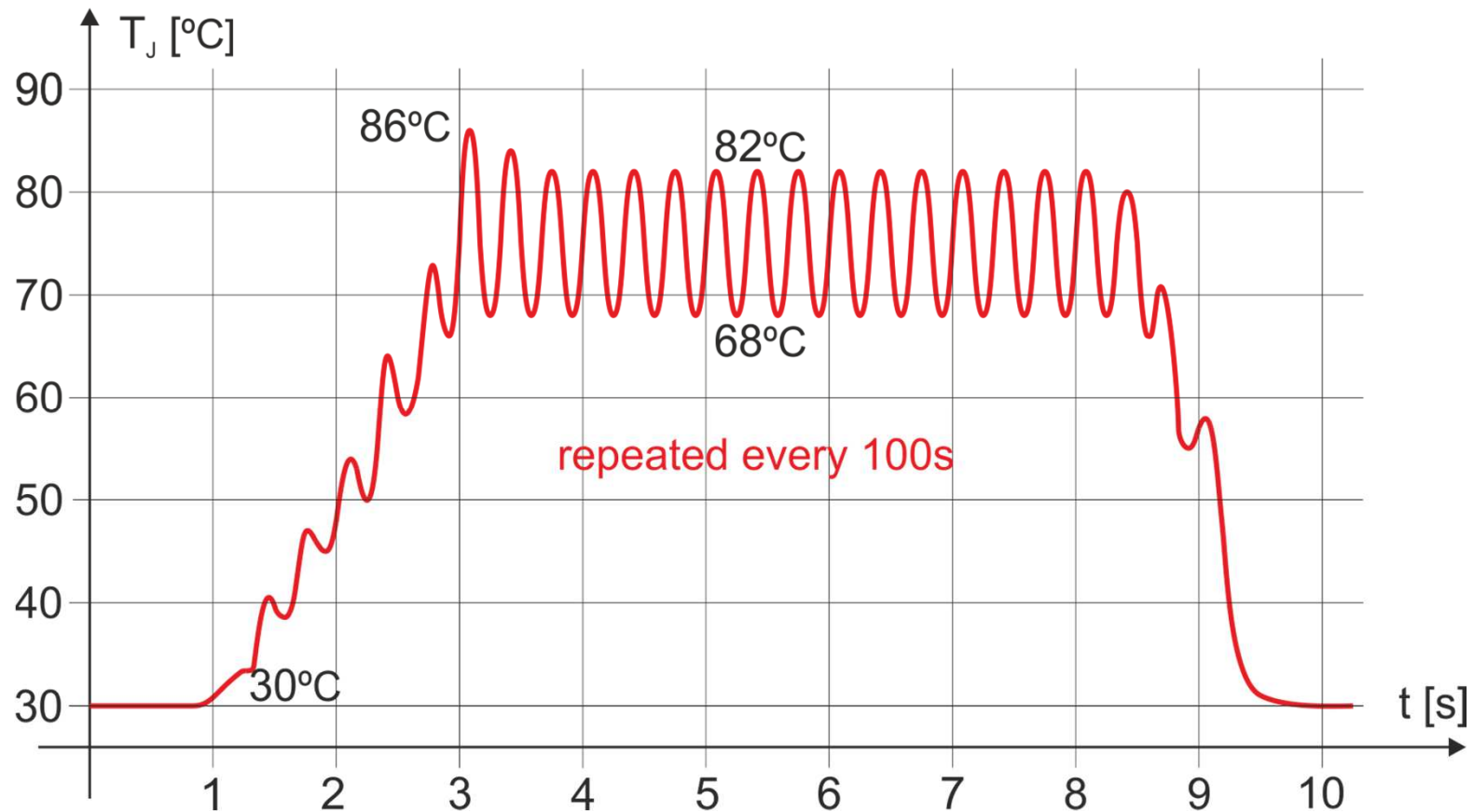
- Temperature variations of the base plate (slow)
- Causes mechanical stress to soldering joint
- Aging of soldering joint
- $R_{th}$  increases
- Larger temperature variations
- Device fails

Power Cycling of standard modules from various manufacturers (~1995)



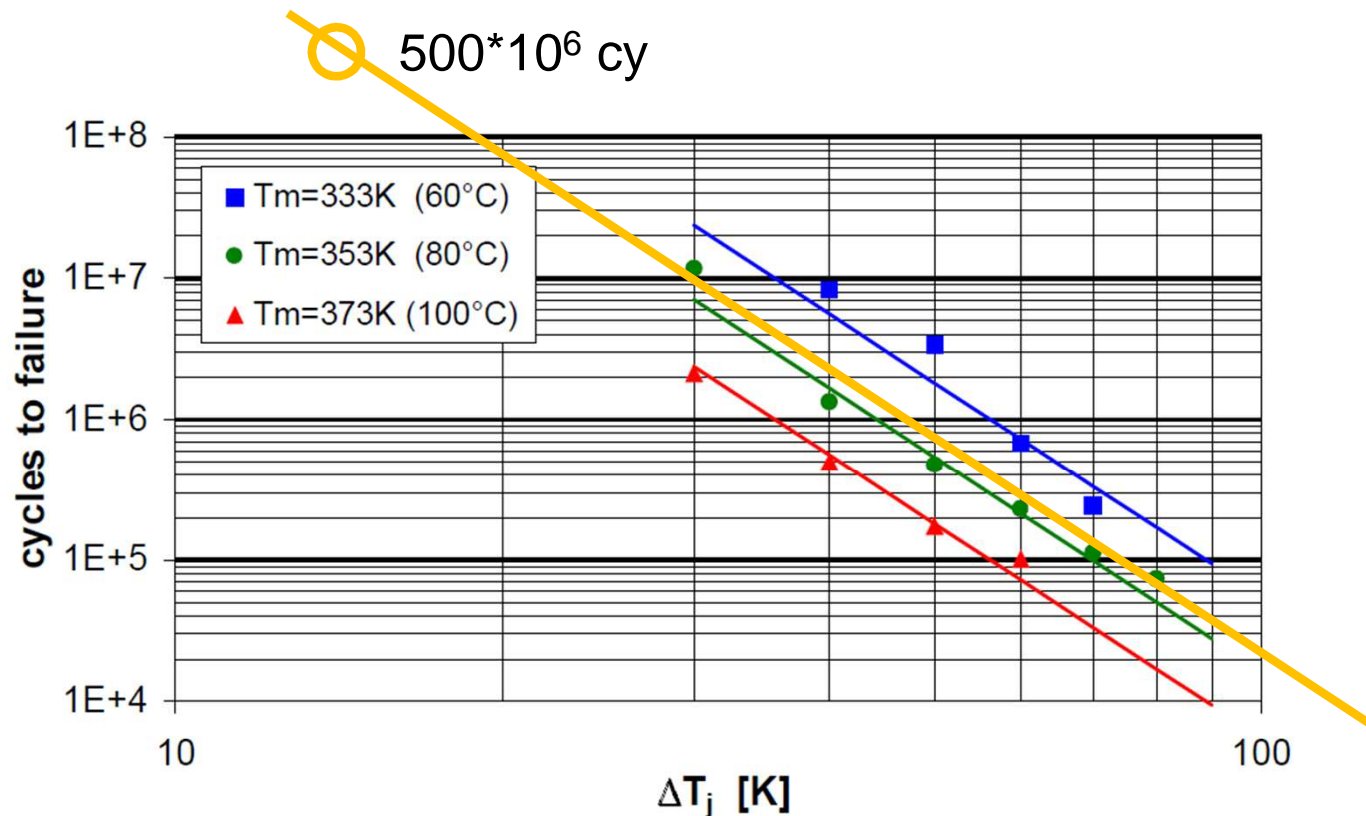
# Practical Experience (1)

- SLS Booster Dipole Power Supply in Topup Mode
  - Junction temperature variations
  - IGBT failures after 3.5a of operation



# Practical Experience (2)

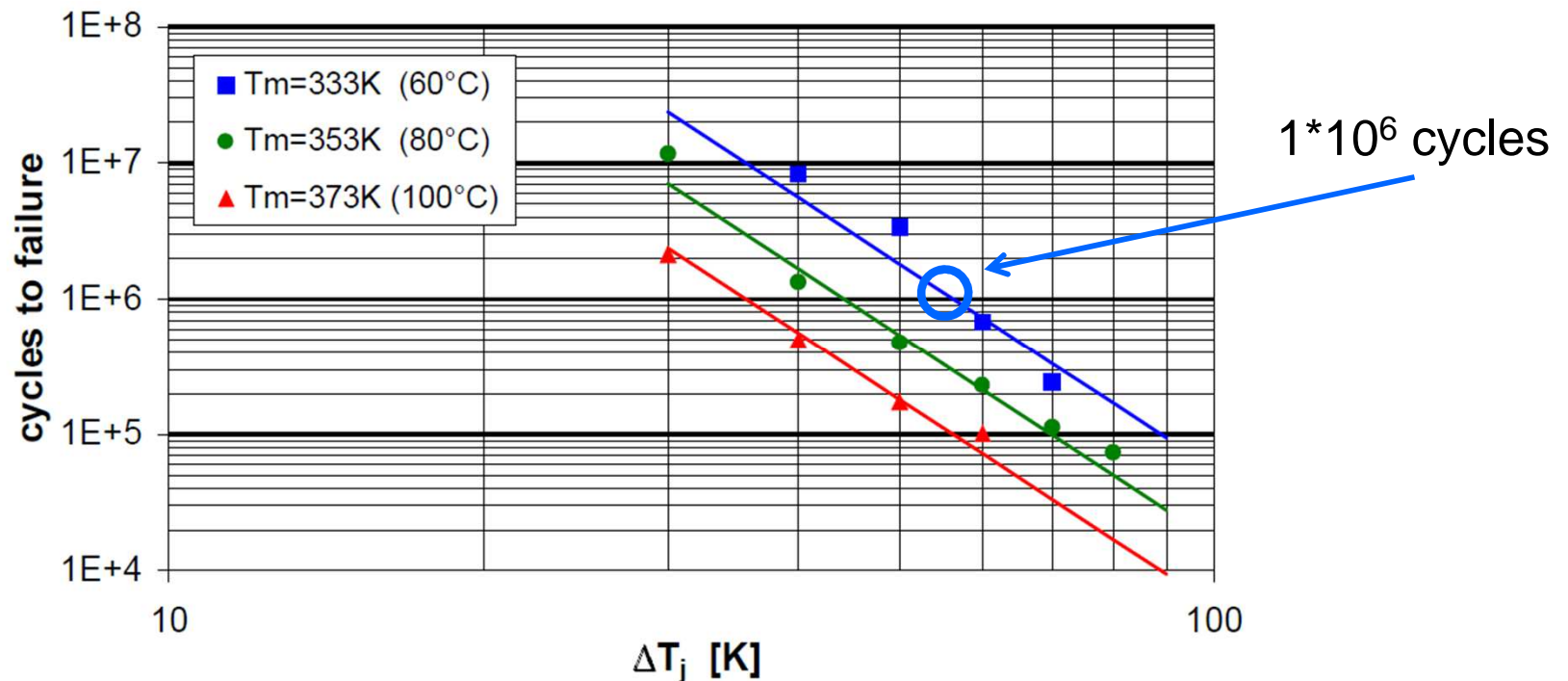
- 3Hz Oscillations: 68.....82°C  $\Delta T_j = 14K$ ,  $T_m = 75^\circ C$ 
  - 40 weeks/a, continuous  $\rightarrow 80 \cdot 10^6$  cy/a  $\rightarrow$  6a to failure
  - 40 weeks/a, 16cy every 100s  $\rightarrow 15 \cdot 10^6$  cy/a  $\rightarrow$  33a to failure
  - Extreme extrapolation: Result valid ???



# Practical Experience (3)

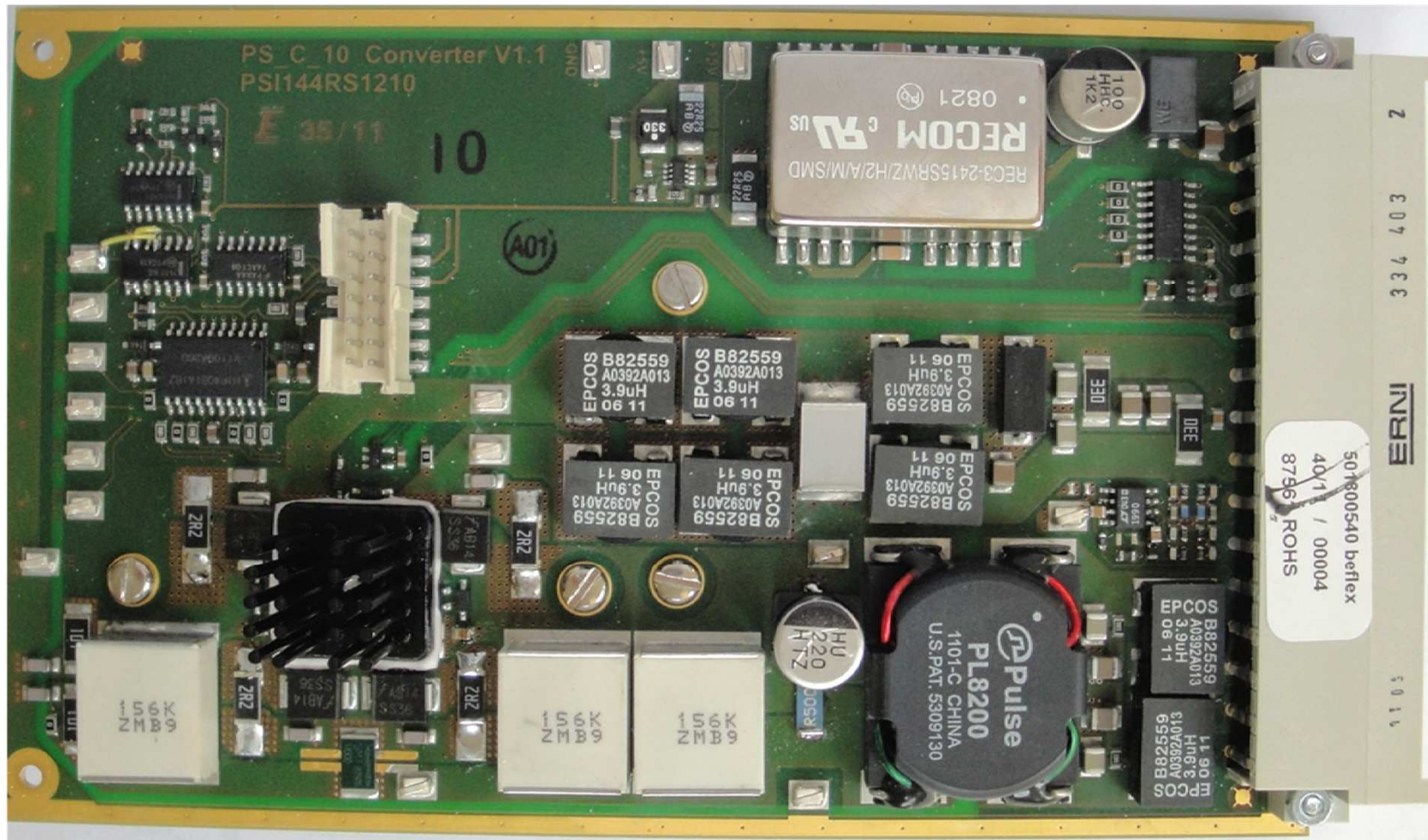
- 100s Oscillations: 30.....86°C  $\Delta T_j = 56K$ ,  $T_m = 58^\circ C$ 
  - 40 weeks/a, 1cy every 100s  $\rightarrow 0.25 \cdot 10^6$  cy/a  $\rightarrow 4a$  to failure

that is, what we have experienced!



# Thermal Design of a PCB

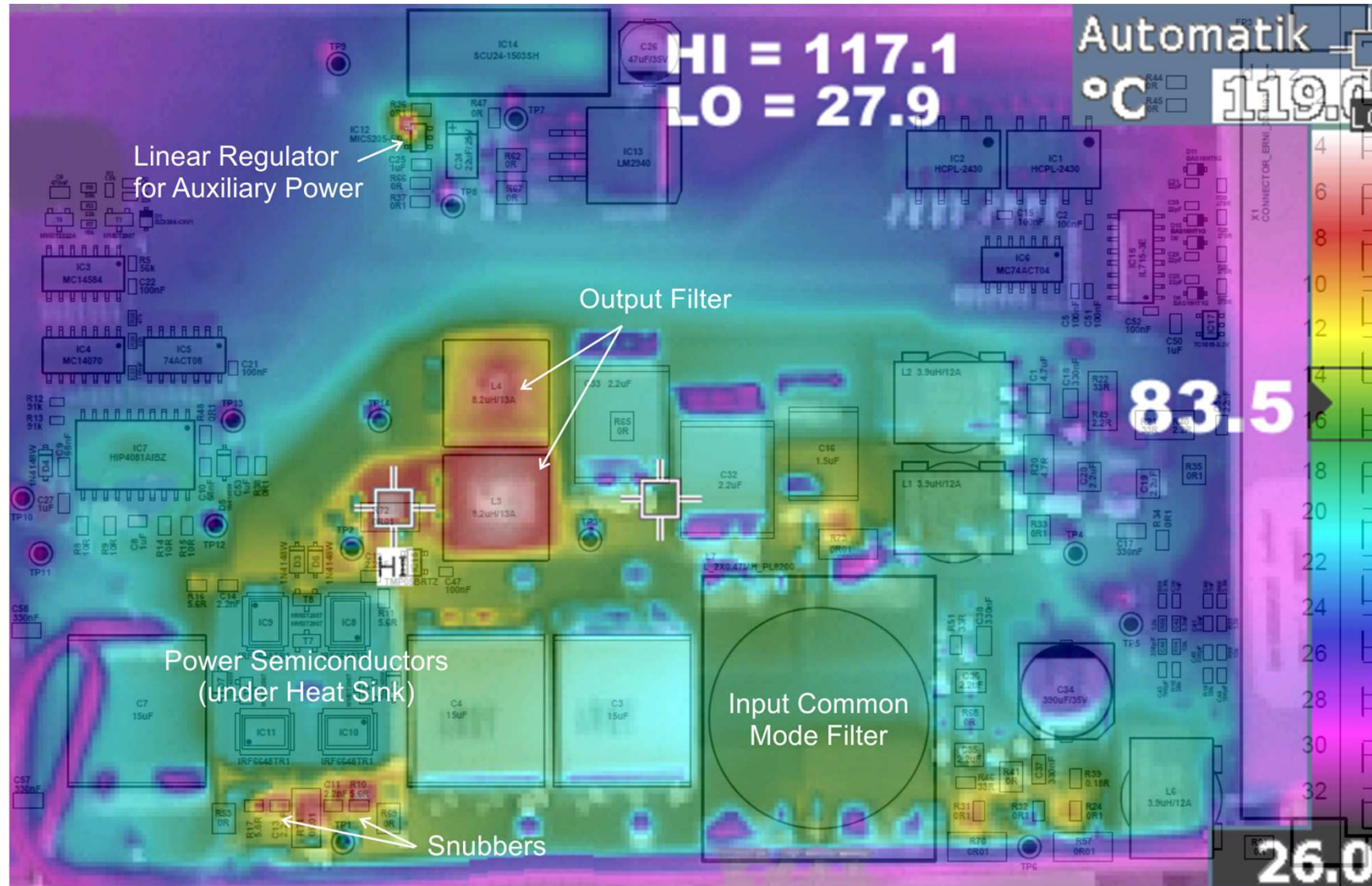
10A H-bridge on a PCB 100mm 160mm





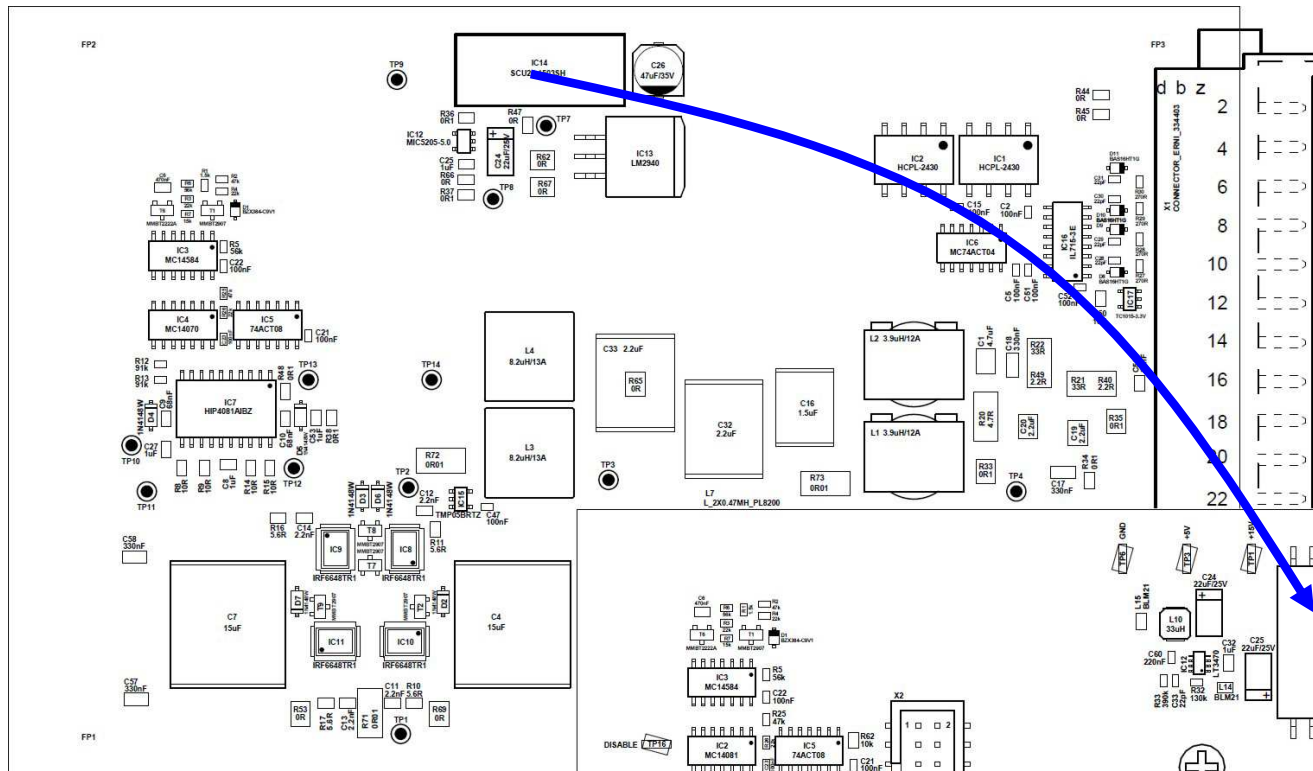
# First prototype

## Infrared image at full load

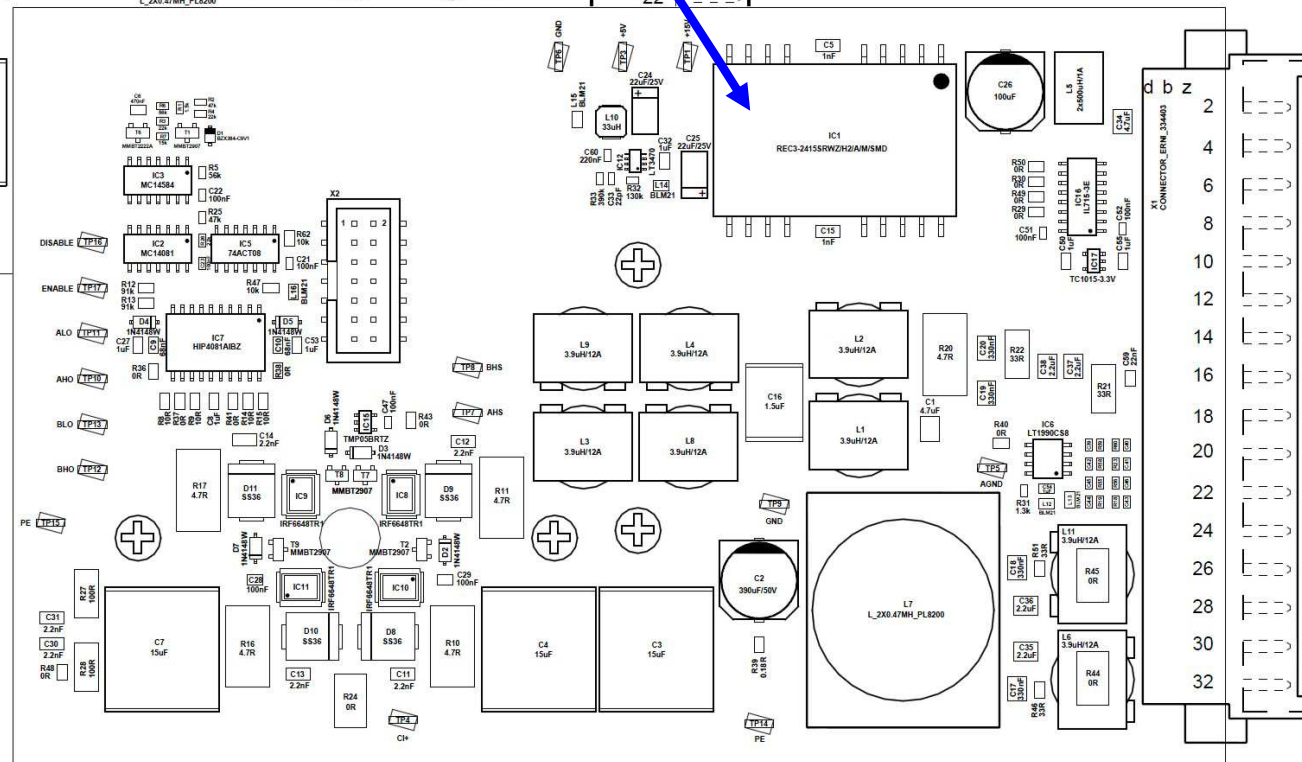


# Replace DC/DC converter 24V/15V

New:  
SMD DC/DC-  
converter in a  
metallic case

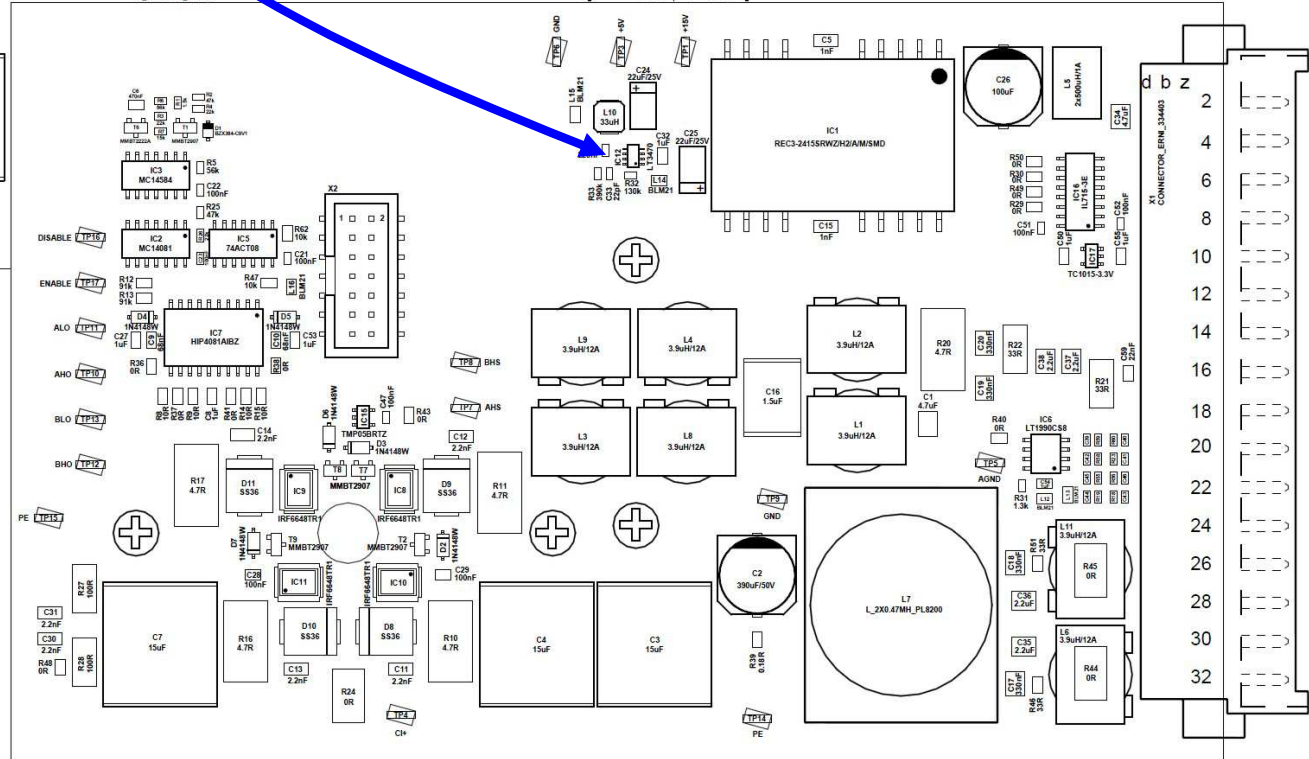
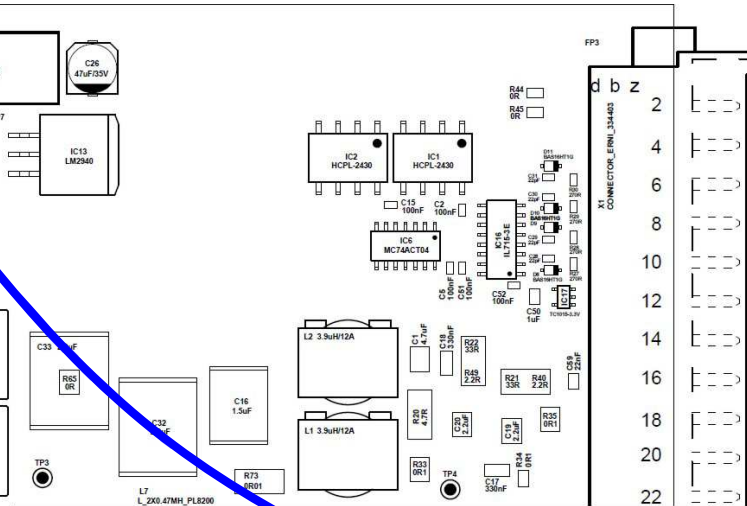
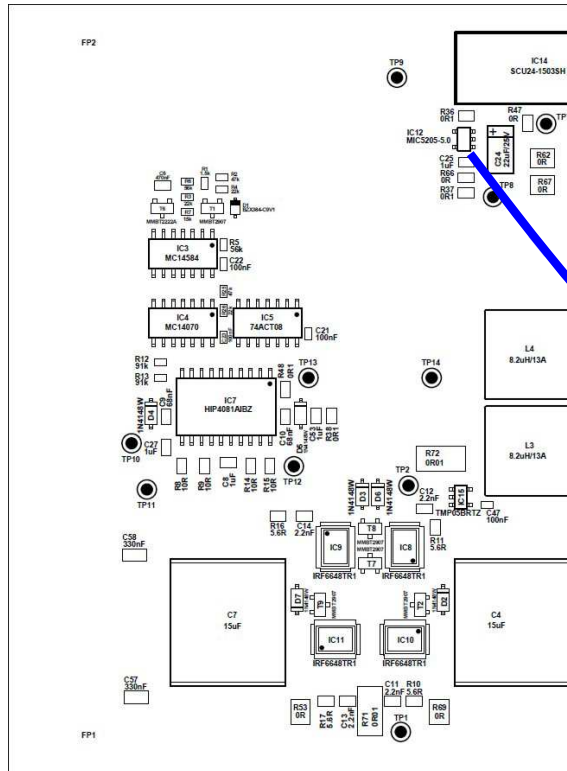


Prototype 1:  
THT DC/DC-  
converter in a  
plastic case



# Replace DC/DC converters 15V/5V

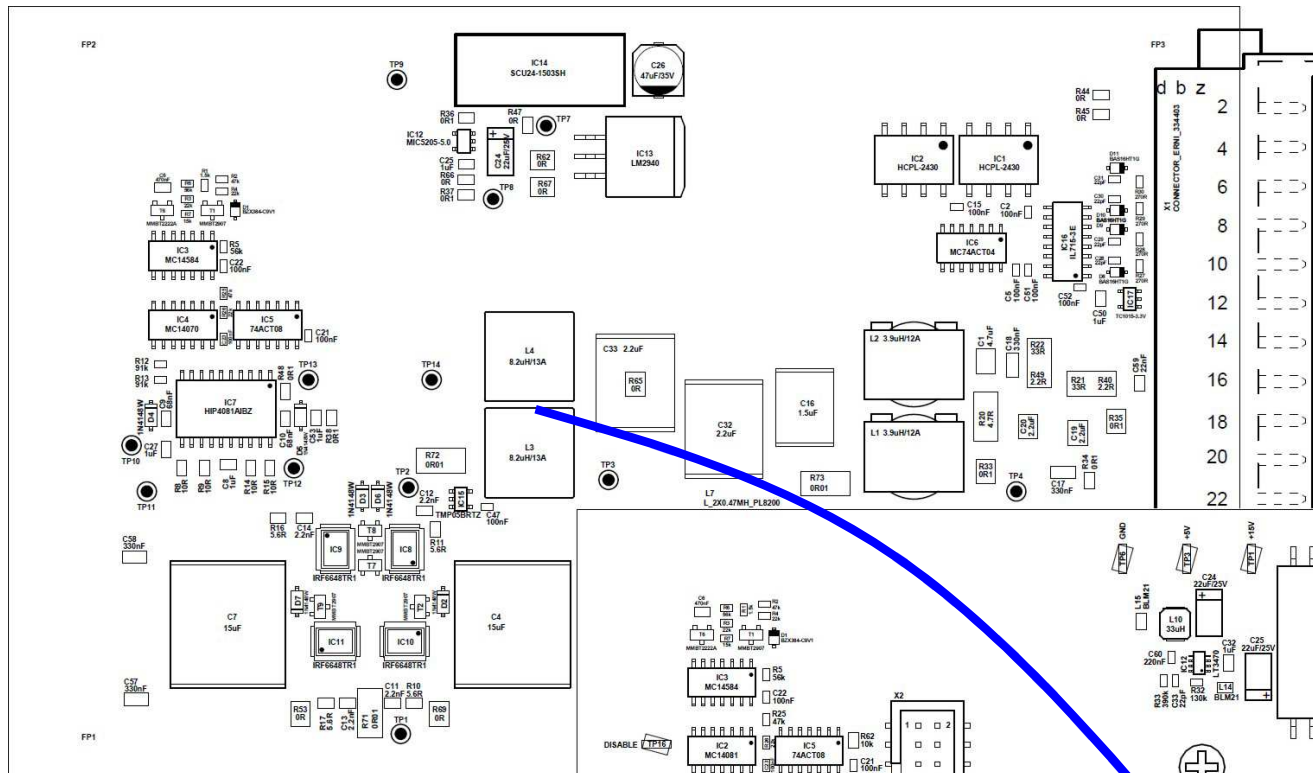
**New:**  
**Switched mode**  
**converter**  
**15V / 5V**



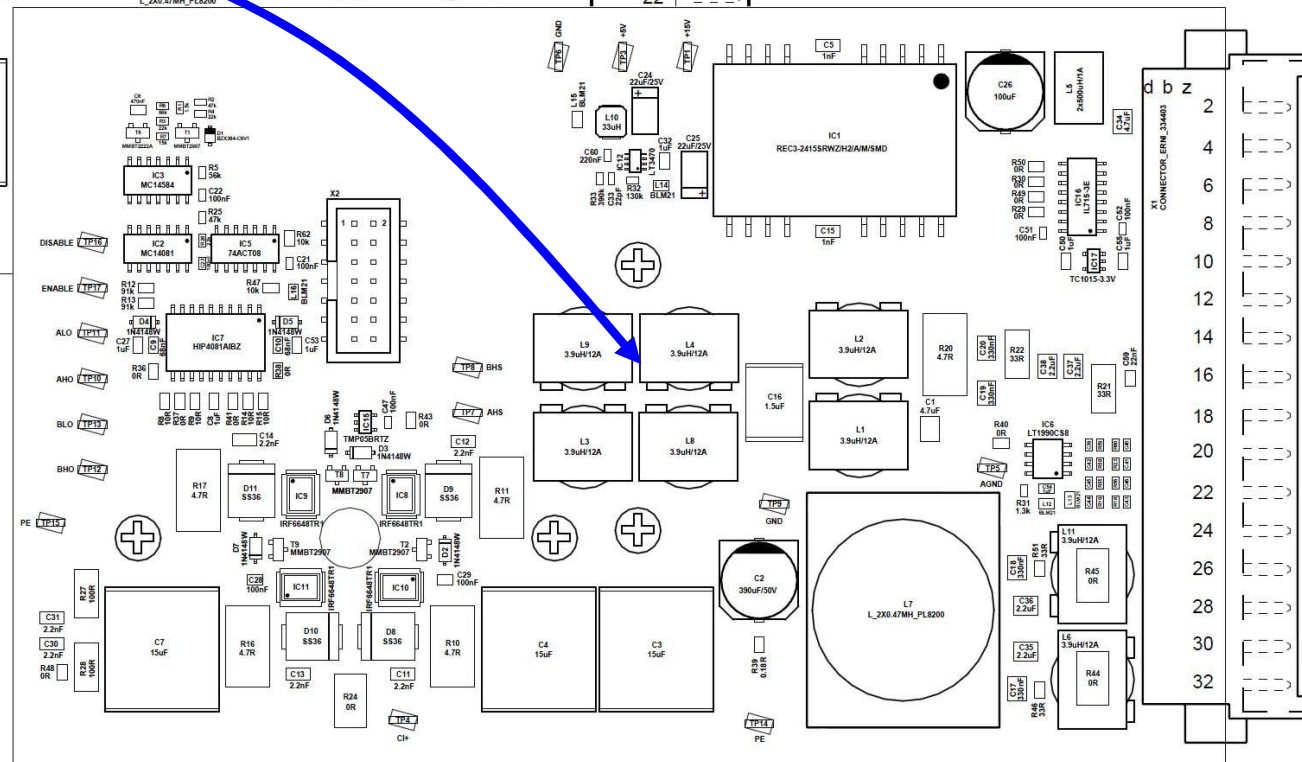
**Prototype 1:**  
**Linear converter**  
**15V / 5V**

# Replace filter chokes

Neu:  
Four chokes of  
3.9uH/12A each

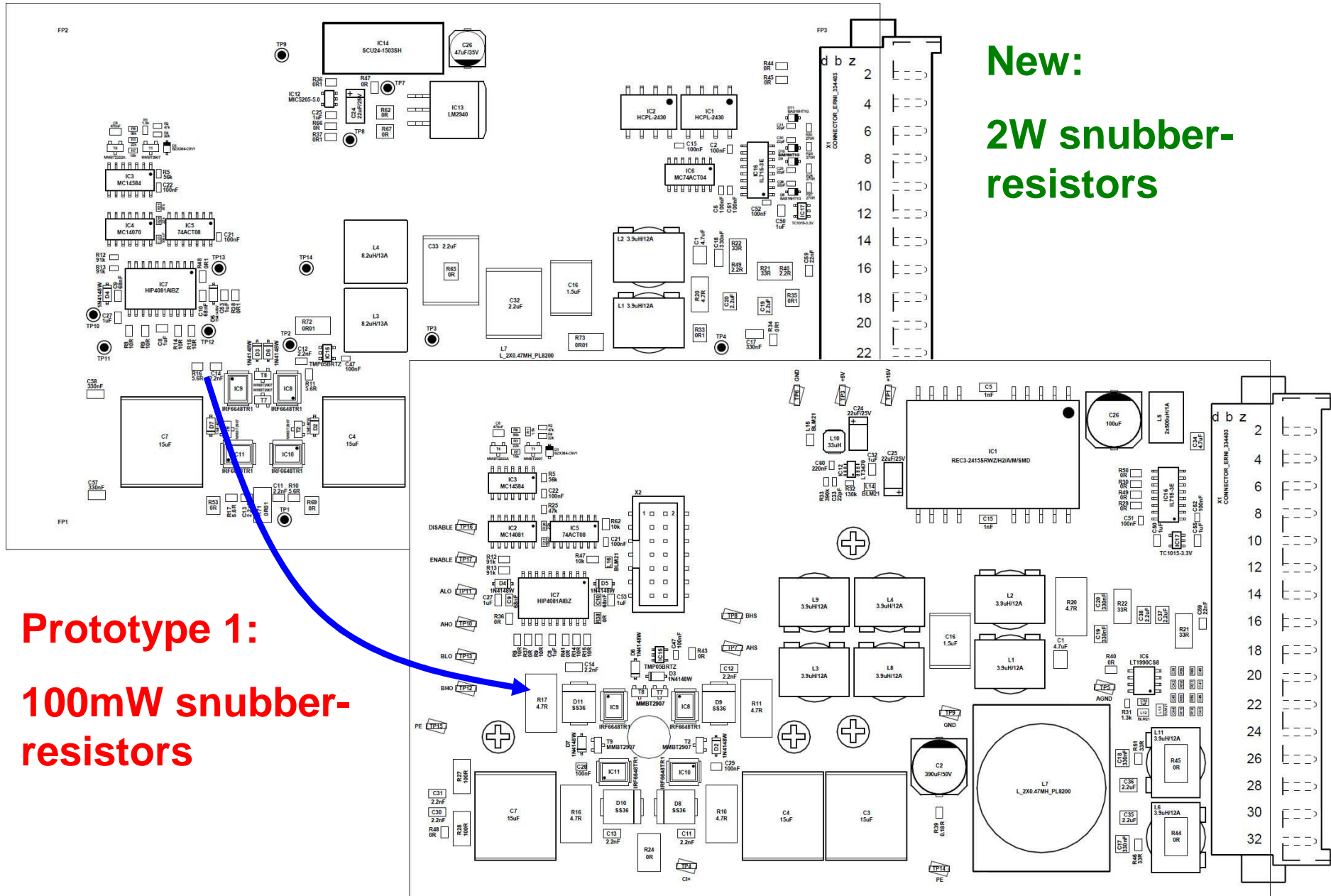


Prototype 1:  
Two chokes of  
8.2uH/13A each



# Replace snubber resistors

New:  
2W snubber-resistors



Prototype 1:  
100mW snubber-resistors

- Thermal conductivity of different materials  $\lambda$  [W/K m]
  - Gold 318
  - Silver 429
  - Copper 401
  - Aluminum 237
  - Steel 50
  - Heat transfer foil 2
  - PCB core material (FR-4) 0.3
  - Air 0.025

# Improve heat flow

- Heat path through the PCB

- Mounting area of semiconductors  $A = 2\text{cm} \times 2\text{cm} = 4\text{cm}^2$
- Distance from top to bottom layer  $l = 1.6\text{mm}$
- Thermal conductivity PCB core (FR-4)  $\lambda = 0.3 \text{ W/K m}$
- Total losses in the semiconductors  $P \approx 10\text{W}$

- Thermal resistance: 
$$R_{th} = \frac{l}{\lambda \cdot A} = \frac{1.6\text{mm} \cdot \text{m} \cdot \text{K}}{0.3\text{W} \cdot 4\text{cm}^2} = 13.3 \frac{\text{K}}{\text{W}}$$

- Temp. difference  
Top - Bottom 
$$\Delta T = R_{th} \cdot P = 13.3 \frac{\text{K}}{\text{W}} \cdot 10\text{W} = 133\text{K}$$



# Improve heat flow

- Additional heat path through vias

- Outside radius  $r_a = 0.175\text{mm}$
- Inside radius  $r_i = 0.15\text{ mm}$
- Via height  $l = 1.6\text{ mm}$
- Thermal conductivity of Cu  $\lambda = 400\text{ W/K m}$

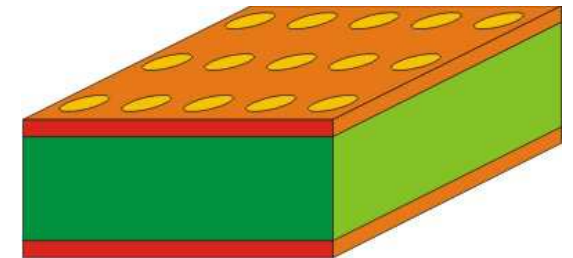
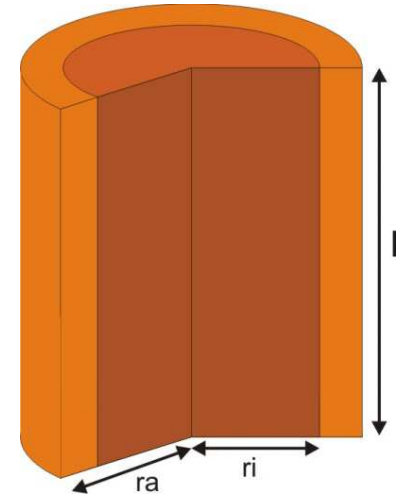
$$A = (r_a^2 - r_i^2) \cdot \pi = ((0.175\text{mm})^2 - (0.15\text{mm})^2) \cdot \pi = 0.0255\text{mm}^2$$

$$R_{th} = \frac{l}{\lambda \cdot A} = \frac{1.6\text{mm} \cdot \text{m} \cdot \text{K}}{400\text{W} \cdot 0.0255\text{mm}^2} = 156.8 \frac{\text{K}}{\text{W}}$$

- On  $4\text{ cm}^2$  there is space for  $8 \times 8 = 64$  vias
- Thermal resistance of 64 vias:  $R_{th} = 2.45\text{K} / \text{W}$

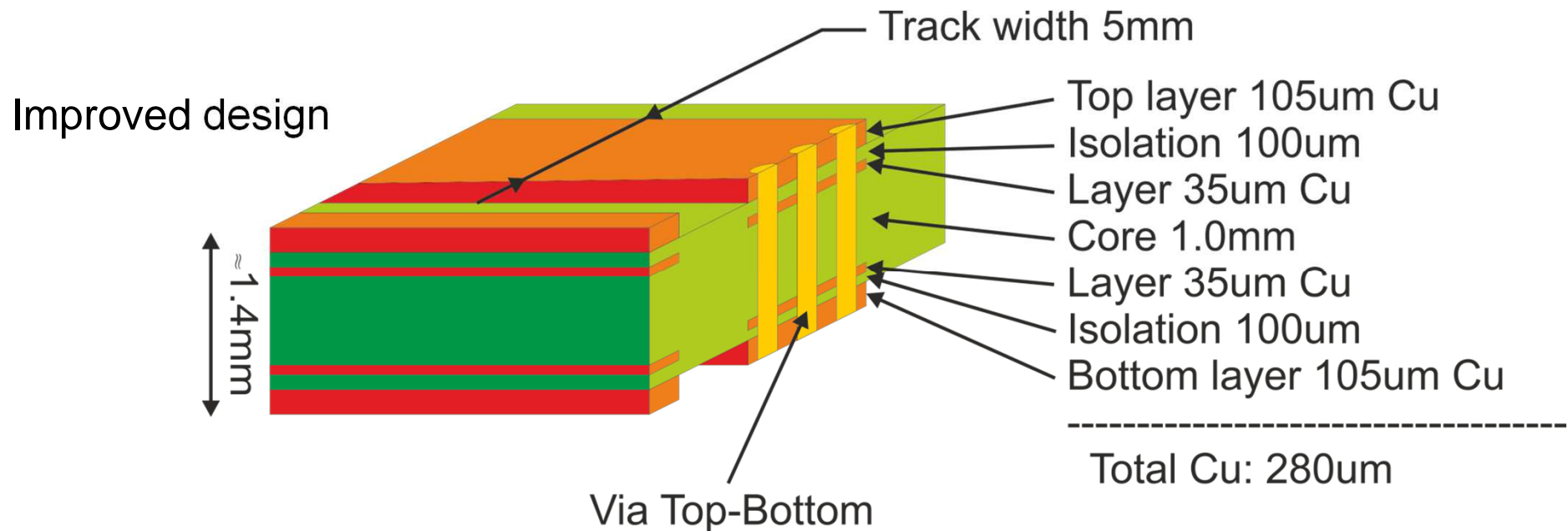
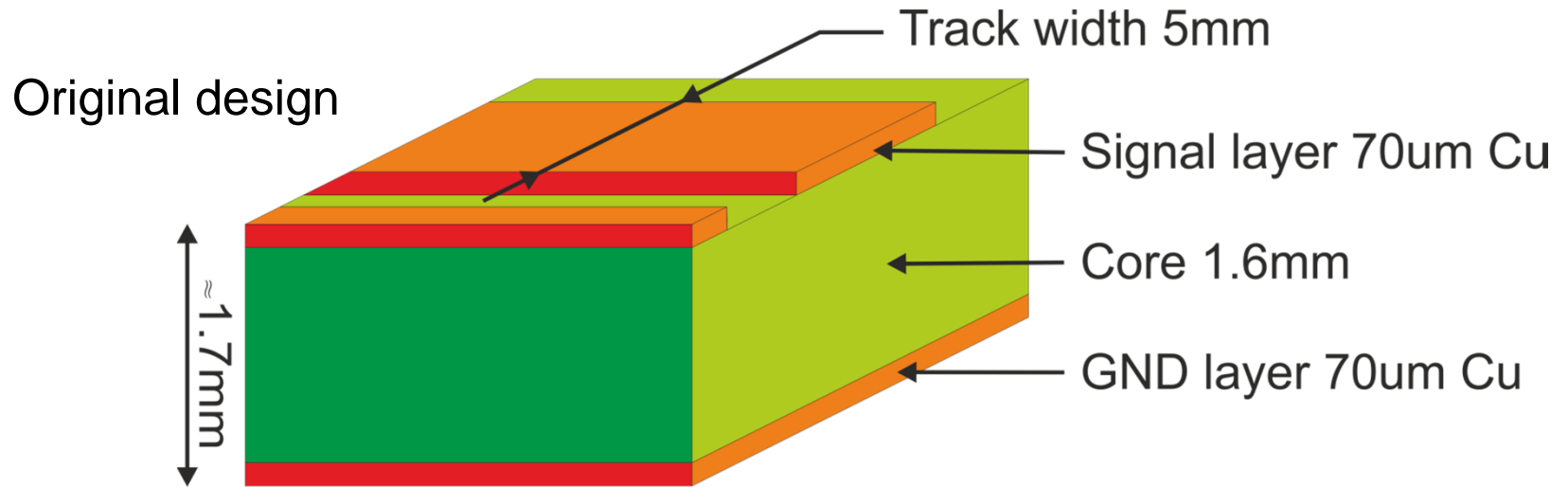
- Temperature difference  
Top - Bottom

$$\Delta T = P \cdot \frac{1}{\frac{1}{R_{th-LP}} + \frac{1}{R_{th-Via}}} = 10\text{W} \cdot \frac{1}{\frac{1 \cdot \text{W}}{13.3\text{K}} + \frac{1 \cdot \text{W}}{2.45\text{K}}} = 20.7\text{K}$$

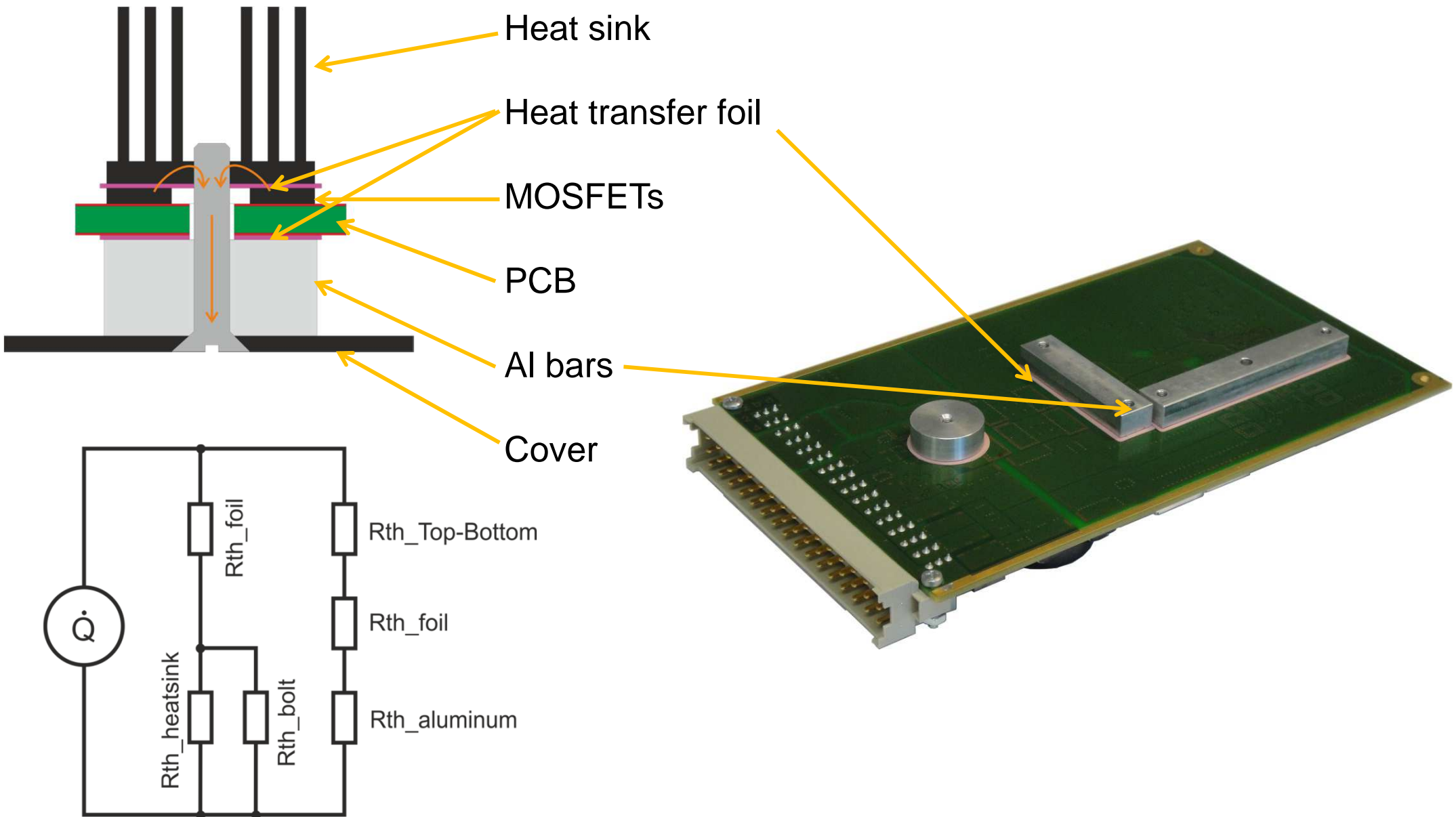




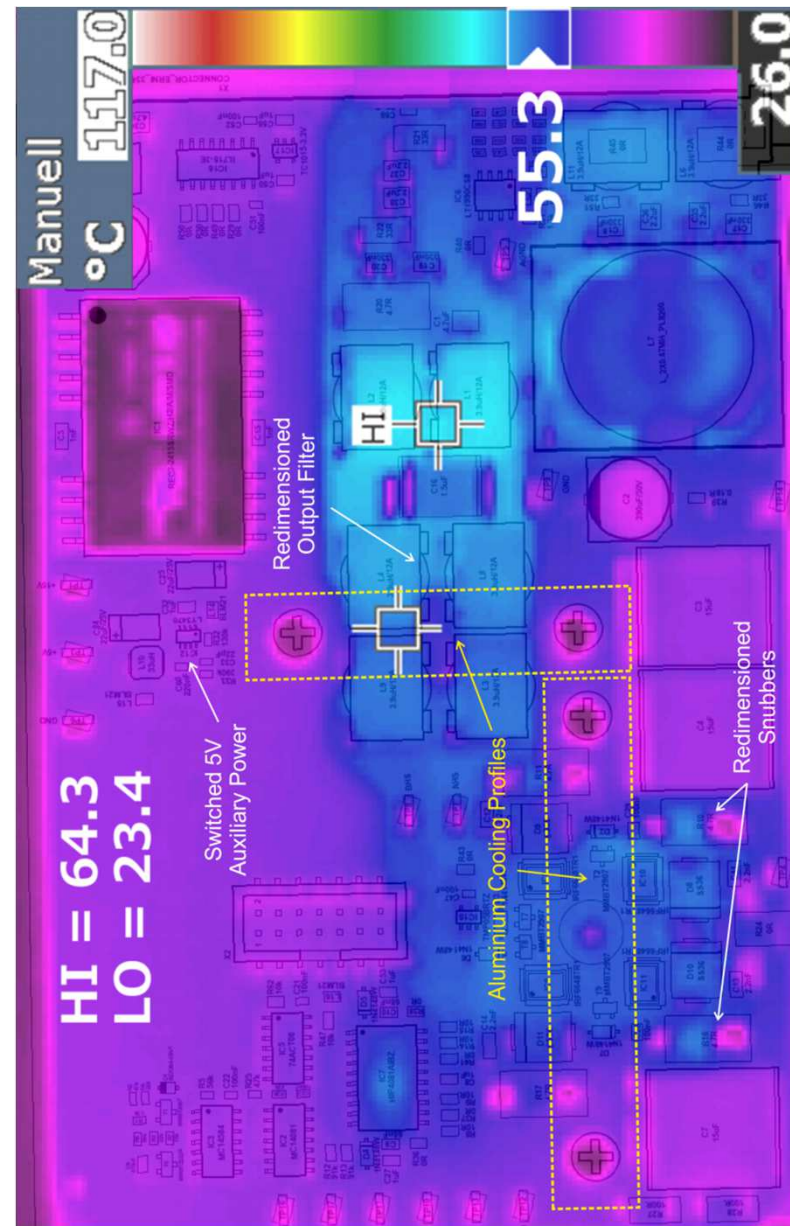
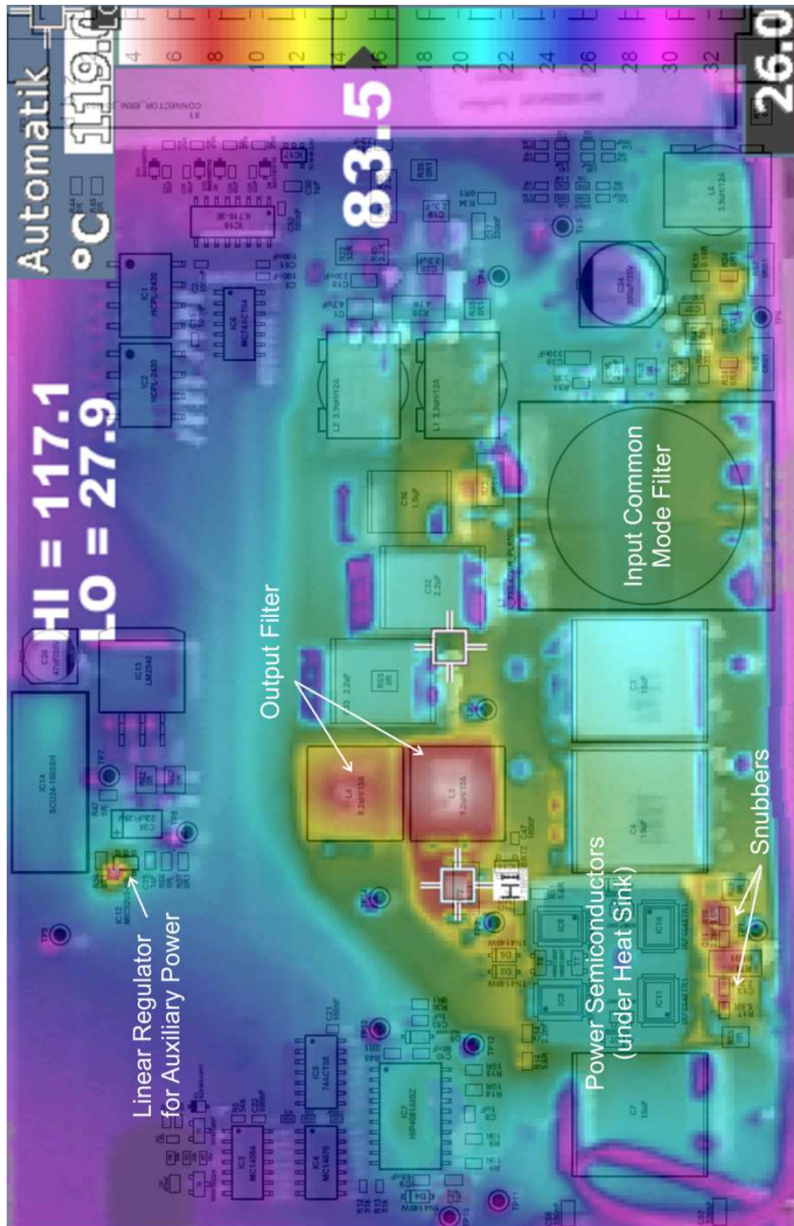
# Improve heat flow



# Heat transfer to ambient



# Comparison Prototype 1 and 2



Better heat spreading

Lower temperatures

Good correlation with calculations

# Thank you for your attention

## Questions?



### References

- [1] Infineon, Datasheet FF600R06ME3 Rev. 3.1
- [2] Semikron, Applikationshandbuch Leistungshalbleiter, VSL Verlag 2010
- [3] Infineon, Thermal equivalent circuit models, AN2008-03
- [4] Infineon, Technical Information IGBT modules, Use of Power Cycling curves for IGBT4, AN2010-02