



Warm Magnets

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Contents

- Introduction: magnetic field and warm magnet principles
- Field description and magnet types
- Practical magnet design & manufacturing
- Permanent magnets
- Examples of accelerator magnets from the early times until the present
- Literature on warm Magnets



Magnet types, technological view

We can also classify magnets based on their technology

electromagnet

permanent magnet

iron dominated

coil dominated

normal conducting
(resistive)

superconducting

static

cycled / ramped
slow pulsed

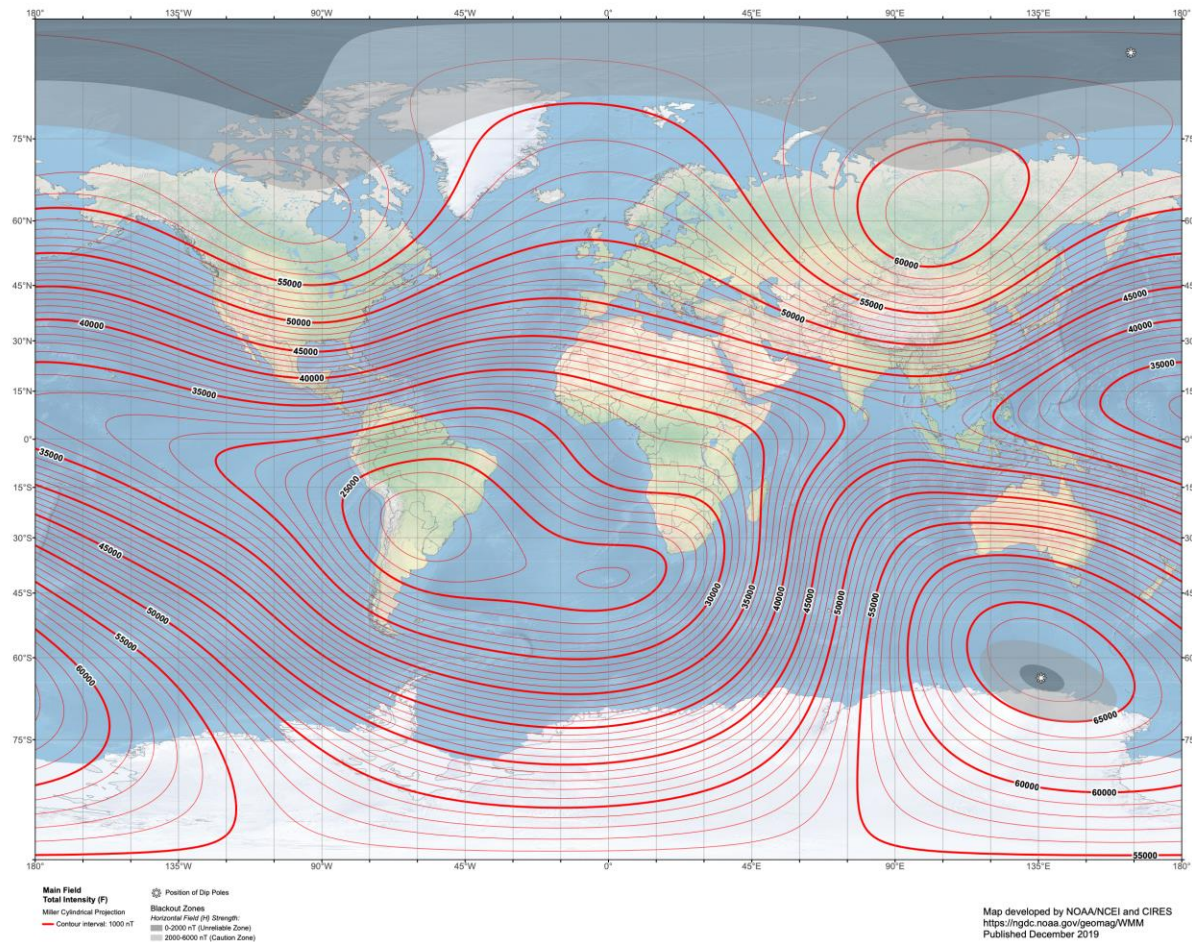
fast pulsed

Earth magnetic field

In Geneva, on 06/09/2021, the (estimated) magnetic field (flux density) is

$$|B| = 47672 \text{ nT} = 0.047672 \text{ mT} = 4.7672 \cdot 10^{-5} \text{ T} \approx 0.5 \text{ Gauss.} \quad B_{\text{horizontal}} = 22259 \text{ nT}$$

US/UK World Magnetic Model - Epoch 2020.0
Main Field Total Intensity (F)



Maxwell equations

Integral form

Differential form

$$\oint \vec{H} d\vec{s} = \int_A \left(\vec{J} + \frac{\partial \vec{D}}{\partial t} \right) d\vec{A}$$

Ampere's law

$$\text{rot} \vec{H} = \vec{J} + \frac{\partial \vec{D}}{\partial t}$$

$$\oint \vec{E} d\vec{s} = -\frac{\partial}{\partial t} \int_A \vec{B} d\vec{A}$$

Faraday's equation

$$\text{rot} \vec{E} = -\frac{\partial \vec{B}}{\partial t}$$

$$\int_A \vec{B} d\vec{A} = 0$$

Gauss's law for magnetism

$$\text{div} \vec{B} = 0$$

$$\int_A \vec{D} d\vec{A} = \int_V \rho dV$$

Gauss's law

$$\text{div} \vec{D} = \rho$$

With: $\vec{B} = \mu \vec{H} = \mu_0 \mu_r \vec{H} = \mu_0 (\vec{H} + \vec{M})$

$$\vec{D} = \varepsilon \vec{E} = \varepsilon_0 (\vec{E} + \vec{P})$$

$$\vec{J} = \kappa \vec{E} + J_{imp.}$$



Magnetostatics

Let's have a closer look at the 3 equations that describe magnetostatics

Gauss law of magnetism

$$(1) \quad \operatorname{div} \vec{B} = 0 \quad \text{always holds}$$

Ampere's law with no time dependencies

$$(2) \quad \operatorname{rot} \vec{H} = \vec{j} \quad \text{holds for magnetostatics}$$

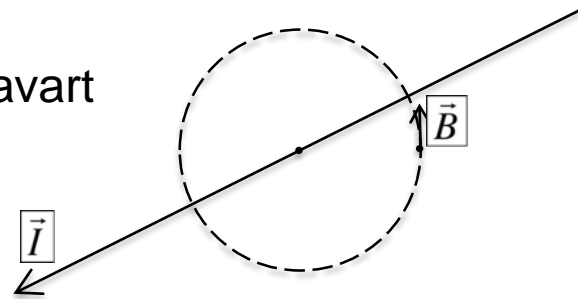
Relation between \vec{H} field and the flux density \vec{B}

$$(3) \quad \vec{B} = \mu_0 \mu_r \vec{H} \quad \text{holds for linear materials}$$

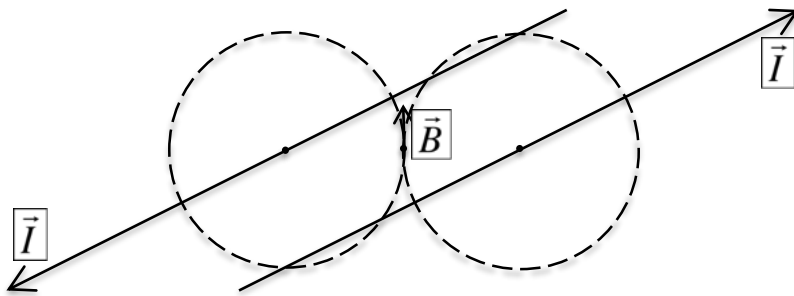
From Ampere's law with no time dependencies

(Integral form) $\oint_C \vec{B} \times d\vec{l} = \mu_0 I_{encl.}$

We can derive the law of Biot and Savart



$$\vec{B} = \frac{\mu_0 I}{2\pi r} \hat{j}$$



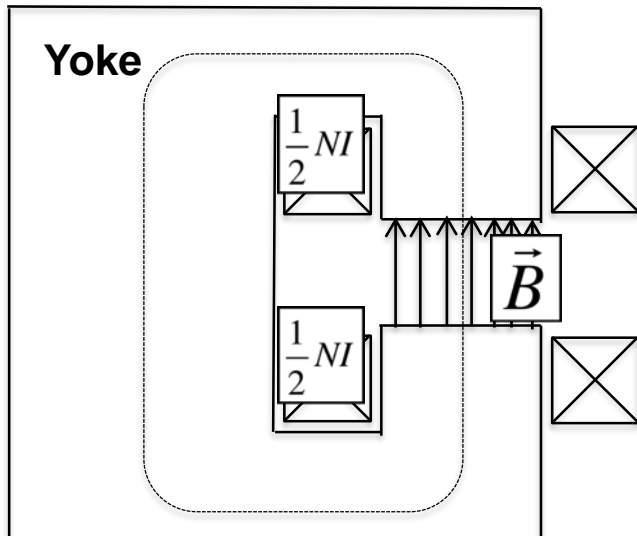
If you wanted to make a $B = 1.5$ T magnet with just two infinitely thin wires placed at 100 mm distance in air one needs :
 $I = 187500$ A

- To get reasonable fields ($B > 1$ T) one needs large currents
- Moreover, the field homogeneity will be poor

Iron dominated magnets

With the help of an iron yoke we can get fields with less current

Example: C shaped dipole for accelerators



coil

$$B = 1.5 \text{ T}$$

$$\text{Gap} = 50 \text{ mm}$$

$$N \cdot I = 59683 \text{ A}$$

$$2 \times 30 \text{ turn coil}$$

$$I = 994 \text{ A}$$

$$@5 \text{ A/mm}^2, 200 \text{ mm}^2$$

$$14 \times 14 \text{ mm Cu}$$

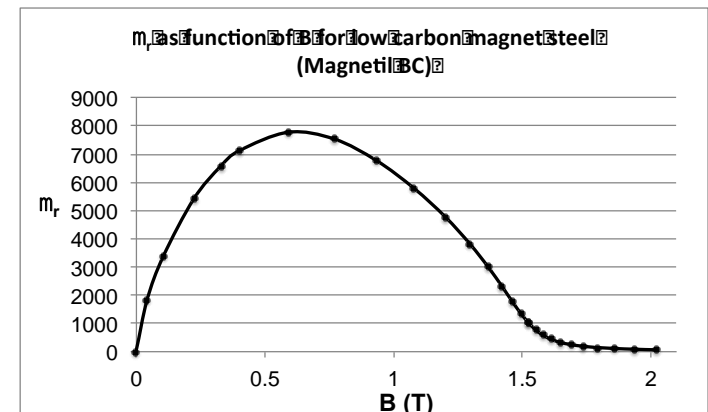
$$\oint_C \vec{H} \times d\vec{l} = N \times I$$

$$N \times I = H_{\text{iron}} \times l_{\text{iron}} + H_{\text{airgap}} \times l_{\text{airgap}} \quad \text{D}$$

$$N \times I = \frac{B}{\mu_0 \mu_r} \times l_{\text{iron}} + \frac{B}{\mu_0} \times l_{\text{airgap}} \quad \text{D}$$

$$N \times I = \frac{l_{\text{airgap}} \times B}{\mu_0}$$

This is valid as $\mu_r \gg 1$ in the iron : limited to $B < 2 \text{ T}$





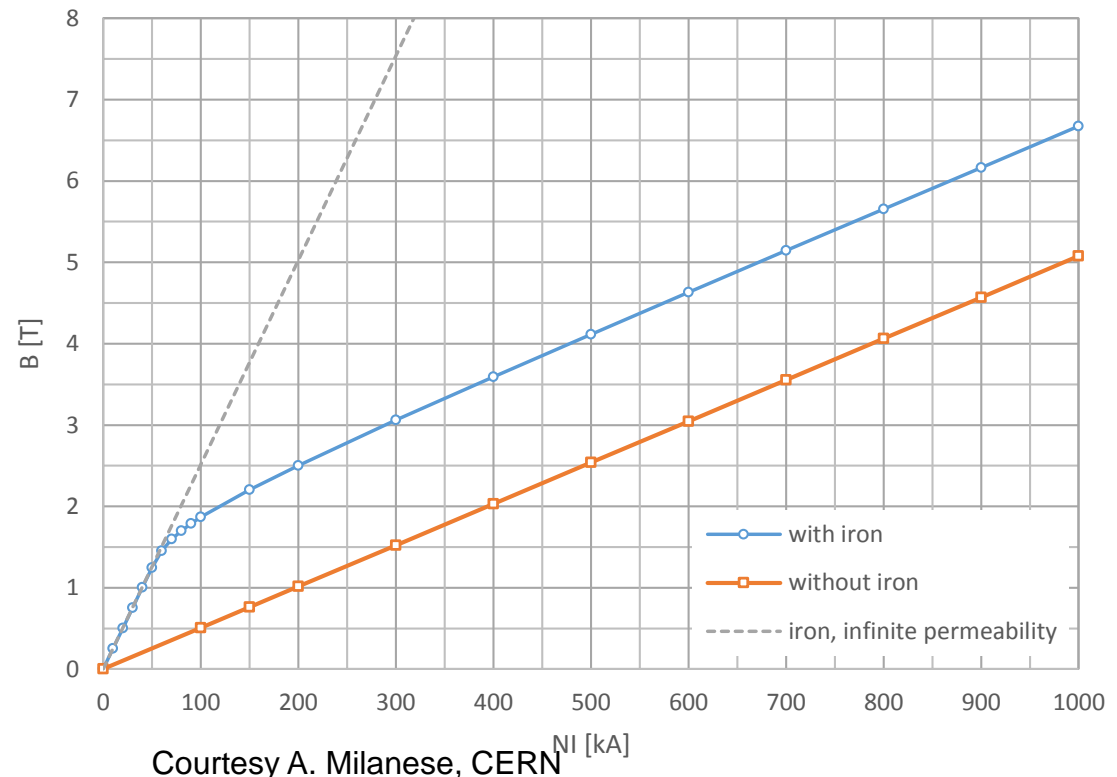
Comparison : iron magnet and air coil

Imagine a magnet with a 50 mm vertical gap (horizontal width ~100 mm)

Iron magnet wrt to an air coil:

- Up to 1.5 T we get ~6 times the field
- Between 1.5 T and 2 T the gain flattens of : the iron saturates
- Above 2 T the slope is like for an air-coil: currents become too large to use resistive coils

These two curves are the transfer functions – B field vs. current – for the two cases



Magnetic field quality: multipole description

$$B_y(z) + iB_x(z) = 10^{-4} B_1 \sum_{n=1}^{\infty} (b_n + i a_n) \left(\frac{x + iy}{R_{ref}} \right)^{n-1}$$

with:

$$z = x + iy,$$

B_x and B_y the flux density components in the x and y direction,

R_{ref} the radius of the reference circle,

B_1 the dipole field component at the reference circle,

b_n the normal n^{th} multipole component,

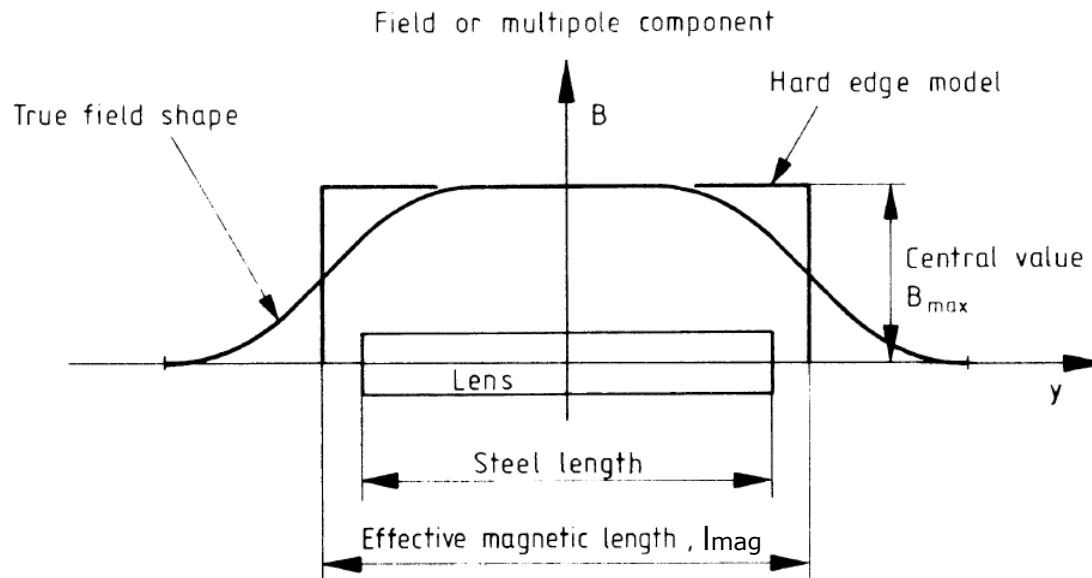
a_n the skew n^{th} multipole component.

The “wanted” b_n or a_n is equal to 1

In a ring-shaped accelerator, where the beam does multiple passes, one typically demands :

$$a_n, b_n \leq 1 \text{ unit } 10^{-4}$$

In 3D, the longitudinal dimension of the magnet is described by a magnetic length



$$l_{mag} B_0 = \int_{-\infty}^{\infty} B(z) dz$$

Courtesy A. Milanese, CERN

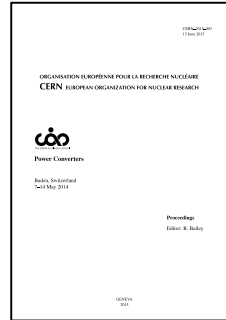
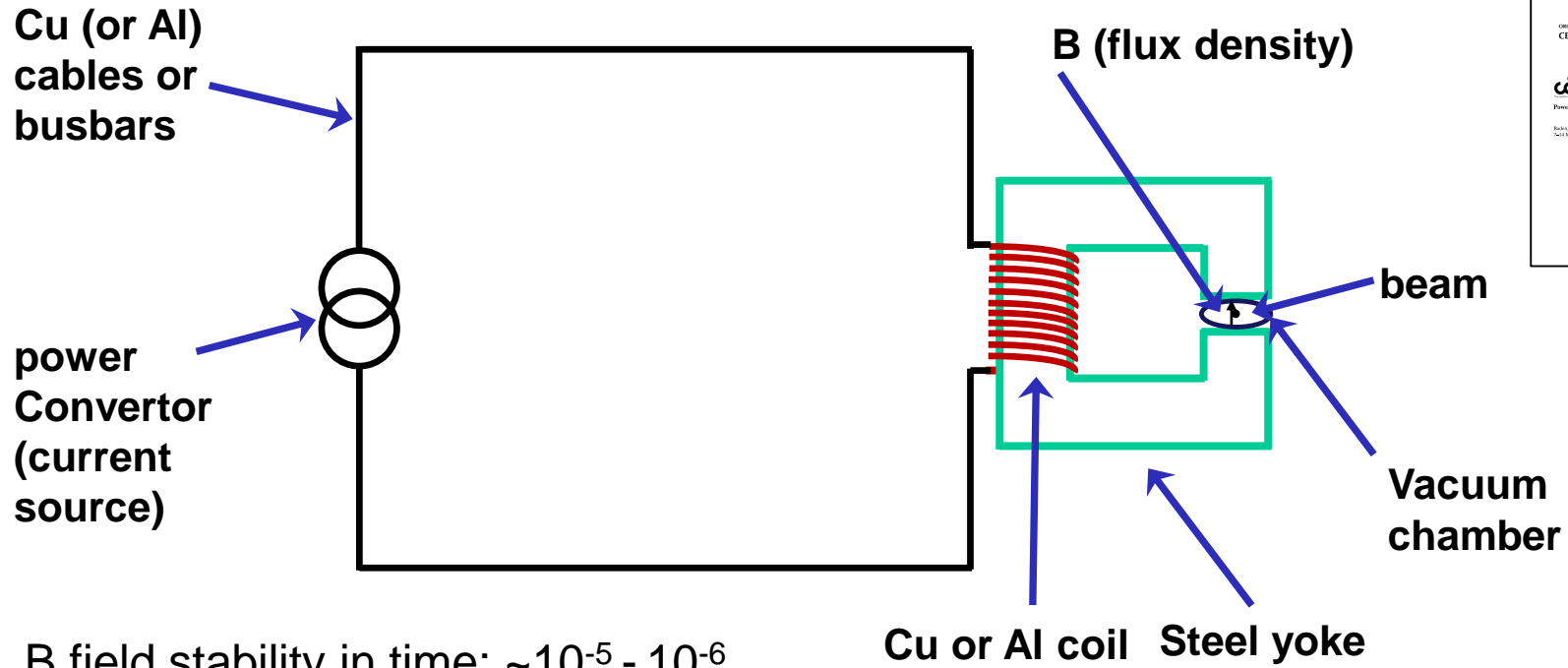
magnetic length L_{mag} as a first approximation:

- For dipoles $L_{mag} = L_{yoke} + d$
- For quadrupoles: $L_{mag} = L_{yoke} + r$

d = pole distance

r = radius of the inscribed circle
between the 4 poles

Magnets in an accelerator: power convertor and circuit



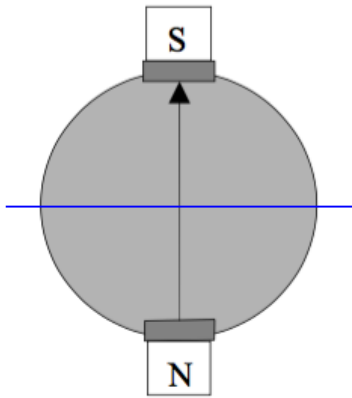
- B field stability in time: $\sim 10^{-5} - 10^{-6}$
- Typical R of a magnet $\sim 20\text{m}\Omega - 60\text{m}\Omega$
- Typical L of a magnet $\sim 20\text{mH} - 200\text{mH}$
- Powering cable (for 500A): Cu 250 mm² (Cu: 17 n Ω .m) R = 70 $\mu\Omega$ /m, for 200m: R = 13m Ω
- Take a typical rise time 1s

Then the Power Convertor has to Supply : 0-500 A with a stability of a few ppm.

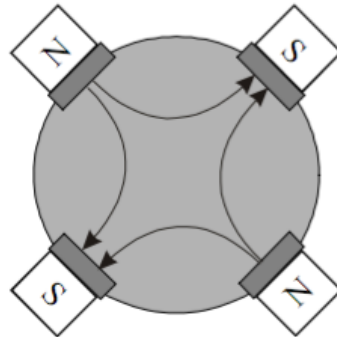
Voltage up to 40 V (resistive)
And 100 V (inductive)

Types of magnetic fields for accelerators

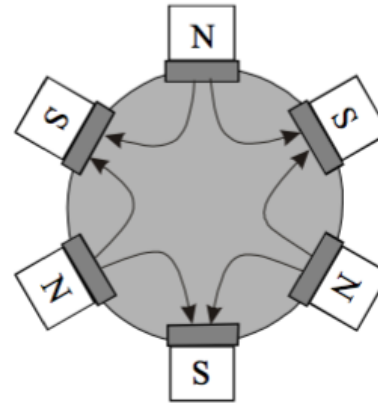
NORMAL : vertical field on mid-plane



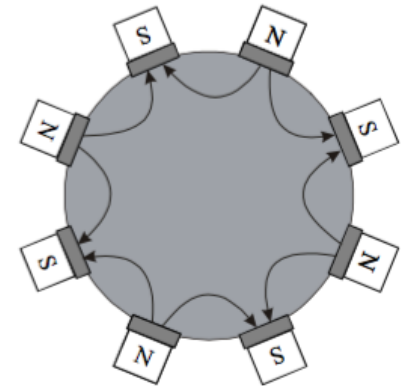
Dipole
 $|B|=const$



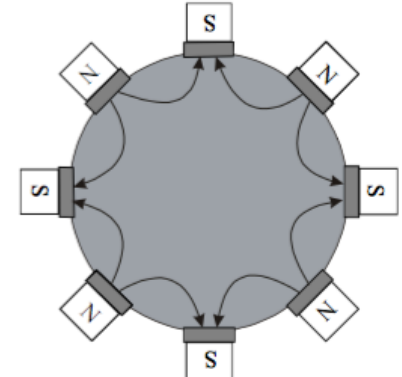
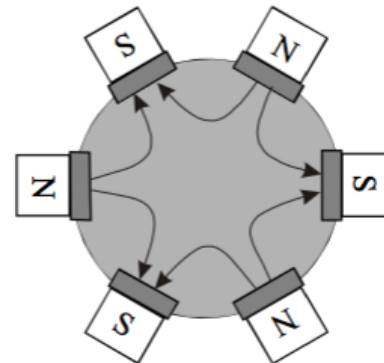
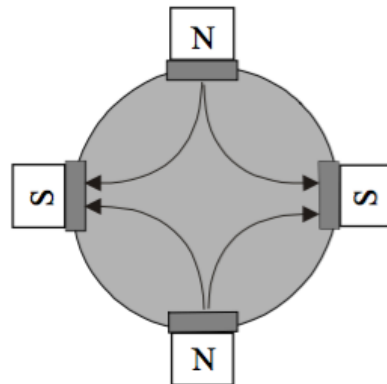
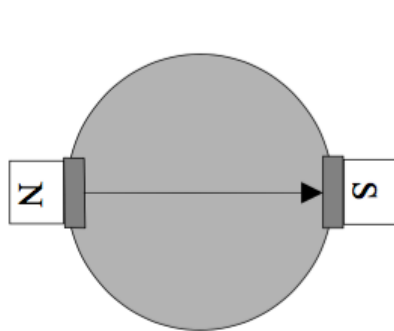
Quadrupole
 $|B|=G \cdot r$



Sextupole
 $|B|=1/2 \cdot B'' \cdot r^2$



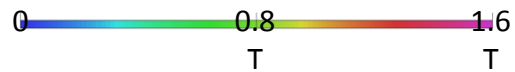
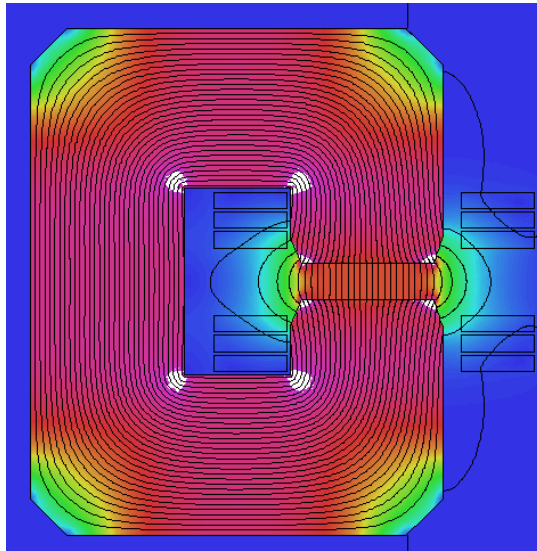
Octupole
 $|B|=1/6 \cdot B''' \cdot r^3$



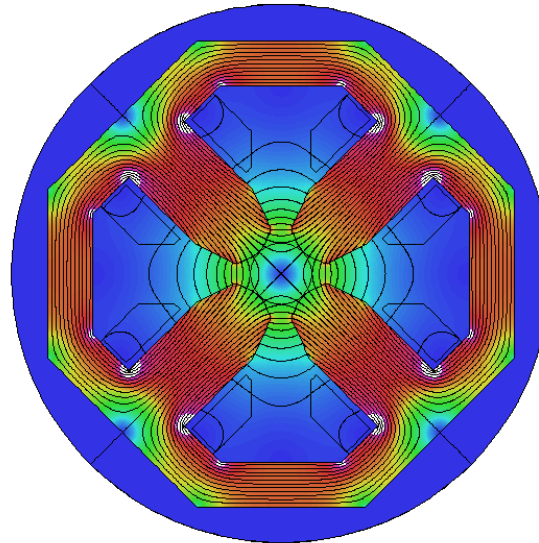
SKREW : horizontal field on mid-plane

fluxlines in magnets

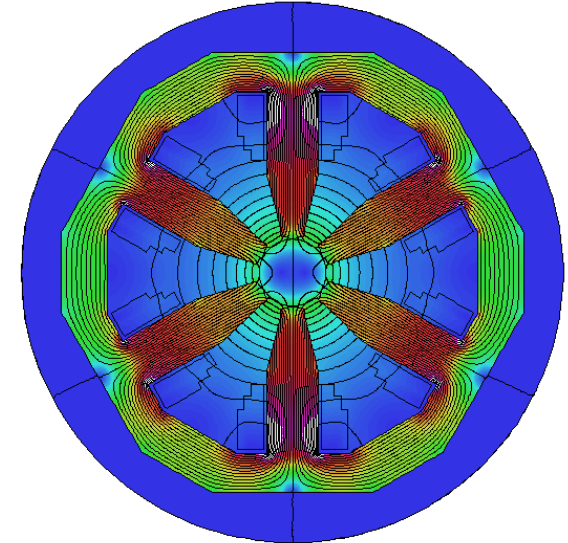
Dipole



Quadrupole



sextupole





Symmetry and allowed harmonics

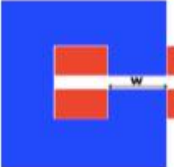
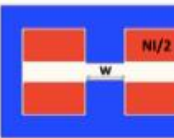
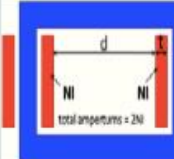
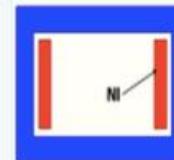
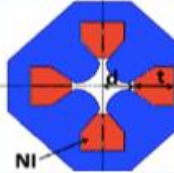
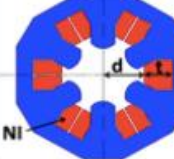
In a fully symmetric magnet certain field harmonics are natural.

Magnet type	Allowed harmonics b_n
n=1 Dipole	n=3,5,7,...
n=2 Quadrupole	n=6,10,14
n=3 Sextupole	n=9,15,21
n=4 Octupole	n=12,20,28

Non-symmetric designs and fabrication errors give rise to non allowed harmonics: b_n with n other than listed above and a_n with any n

NB: For “skew” magnets this logic is inverted !

Basic magnet types

Magnet	Pole shape	Transfer function	Inductance (H)
 <p> w : pole width g : vertical gap </p>	parallel	$B = \mu_0 NI / g$	$L = \mu_0 N^2 A / g$ $A \approx (w + 1.2 \cdot g) \cdot (l + g)$
 <p> w : pole width g : vertical gap </p>	parallel	$B = \mu_0 NI / g$	$L = \mu_0 N^2 A / g$ $A \approx (w + 1.2 \cdot g) \cdot (l + g)$
 <p> w : pole width g : pole gap t : coil width </p>	parallel	$B = \mu_0 NI / g$	$L = 2\mu_0 N^2 A / g$ $A \approx (d + 2/3t) \cdot (l + g)$
 <p> w : pole width g : pole gap t : coil width </p>	parallel	$B = \mu_0 NI / g$	$L = \mu_0 N^2 A / g$ $A \approx (d + 2/3t) \cdot (l + g)$
 <p> R : aperture radius d : coil distance t : coil width </p>	$2xy = R^2$	$B(r) = G \cdot r$ $G = 2\mu_0 NI / R^2$	$L = 8\mu_0 N^2 A / R$ $A \approx (d + 1/3t) \cdot (l + 2/3R)$
 <p> R : aperture radius d : coil distance t : coil width </p>	$3x^2y - y^3 = R^3$	$B(r) = S \cdot r^2 = \frac{1}{2} B'' \cdot r^2$ $S = 3\mu_0 NI / R^3$	$L = 20\mu_0 N^2 A / R$ $A \approx (d + 1/3t) \cdot (l + 1/2R)$



Practical magnet design & manufacturing

Steps in the process:

1. Specification
2. Conceptual design
3. Detailed design
 1. Yoke: yoke size, pole shape, FE model optimization
 2. Coils: cross-section, geometry, cooling
 3. Raw material choice
 4. Yoke ends, coil ends design
4. Yoke manufacturing, tolerances, alignment, structure
5. Coil manufacturing, insulation, impregnation type
6. Magnetic field measurements



Specification

Before you start designing you need to get from the accelerator designers:

- B(T) or G (T/m) (higher orders: G_3 (T/m²), etc)
- Magnet type: C-type, H-type, DC (slow ramp) or AC (fast ramp)
- Aperture:
 - Dipole : “good field region” → airgap height and width
 - Quads and higher order: “good field region” → aperture inscribed circle
- Magnetic length and estimated real length
- Current range of the power convertor (and the voltage range: watch out for the cables)
- Field quality:

$$\text{dipole: } \frac{\Delta B}{B} (\text{ref volume}), \quad \text{quadrupole: } \frac{\Delta G}{G} (\text{reference circle})$$

$$\text{or } b_n, a_n \text{ for } n = 1, 2, 3, 4, 5, \dots$$

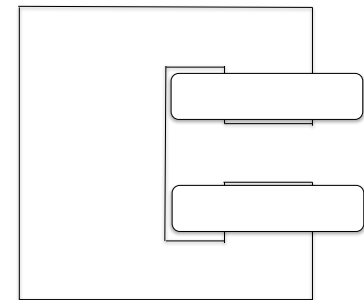
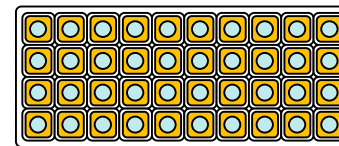
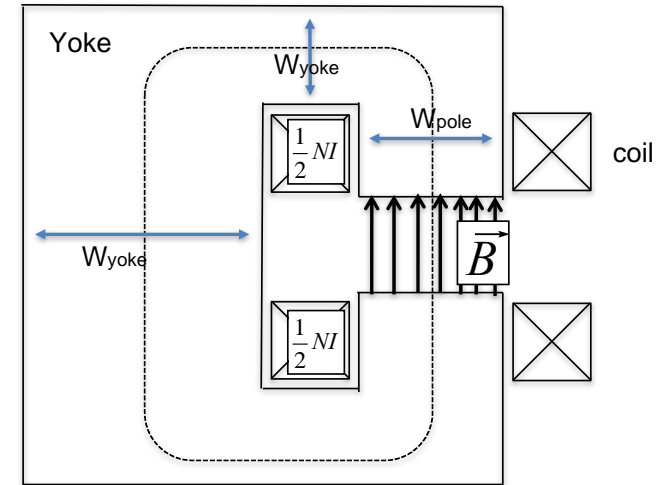
- Cooling type: air, water (P_{\max} , Δp_{\max} and Q_{\max} (l/min))
- Jacks and Alignment features
- Vacuum chamber to be used → fixations, bake-out specifics

These need careful negotiation and often iteration after conceptual (and detailed) design, and will probably be a compromise.

Conceptual design

- From B and l you get NI (A)
$$NI = \frac{l_{airgap} B}{\mu_0}$$
- From NI (A) and the power convertor I_{max} you get N
- Then you decide on a coil X-section using:
 $j_{coil} = 5 \text{ A/mm}^2$ for water cooled
or $j_{coil} = 1 \text{ A/mm}^2$ for air cooled
- This defines the coil cavity in the yoke (you add 0.5 mm insulation around each conductor and 1 mm ground insulation around the coil) and select the best fitting rectangular
- You can the draw the draft X-section using:

$$W_{yoke} = W_{pole} \frac{B}{B_{sat}} \quad \text{with} \quad 1.5 \text{ T} < B_{sat} < 2 \text{ T}$$
- Decide on the coil ends: racetrack, bedstead
- You now have the rough magnet cross section and envelope



Power generated by coil

- DC: from the length of the conductor $N \cdot L_{turn}$, the cross-section σ and the specific resistivity ρ of the material one gets the spent Power in the coil

$$P/l[W/m] = \frac{\rho}{S} I^2 \quad \text{with:} \quad \begin{aligned} \rho_{Cu} &= 1.72(1 + 0.0039(T - 20))10^{-8}\Omega m \\ \rho_{Al} &= 2.65(1 + 0.0039(T - 20))10^{-8}\Omega m \end{aligned}$$

For AC: take the average I^2 for the duty cycle

Power losses due to hysteresis in the yoke: (Steinmetz law up to 1.5 T)

$$P[W/kg] = \eta f B^{1.6} \text{ with } \eta = 0.01 \text{ to } 0.1, \eta_{Si steel} \approx 0.02$$

Power losses due to eddy currents in the yoke

$$P[W/kg] = 0.05 \left(d_{lam} \frac{f}{10} B_{av} \right)^2$$

with d_{lam} the lamination thickness in mm, B_{av} the average flux density

Cooling circuit parameters

Aim: to design $d_{cooling}$, $P_{water}[bar]$, $\Delta P[bar]$, $Q[l/min]$

- Choose a desired ΔT (20°C or 30°C depending on the $T_{cooling\ water}$)
- with the heat capacity of water (4.186 kJ/kg°C) we now know the required water flow rate: $Q[l/min]$
- The cooling water needs to be in moderately turbulent regime (with laminar flow the flow speed is zero on the wall !): $Reynolds > 2000$

$$Re = \frac{dv}{\nu} \sim 140\ d[mm]\ v[m/s]\ for\ T_{water} \sim 40^\circ C$$

- A good approximation for the pressure drop in smooth pipes can be derived from the Blasius law, giving:

$$\Delta P[bar] = 60\ L[m]\ \frac{Q[l/min]^{1.75}}{d[mm]^{4.75}}$$



Theoretical pole shapes

The ideal poles for dipole, quadrupole, sextupole, etc. are lines of constant scalar potential

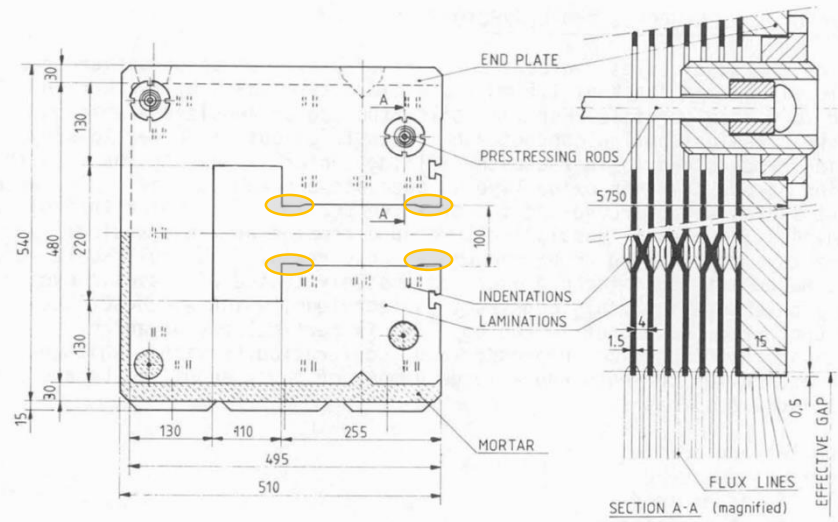
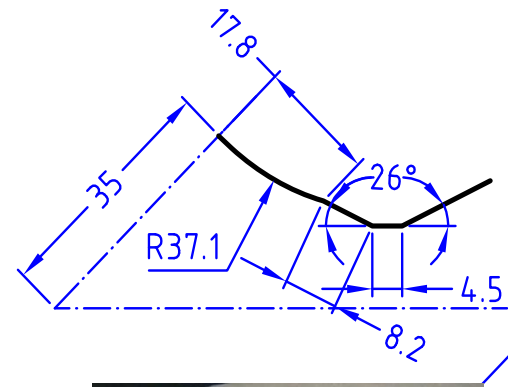
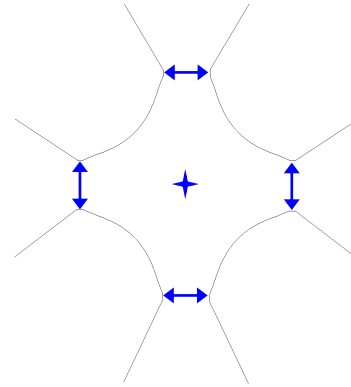
Dipole $y = \pm h/2$ straight line

quadrupole $2xy = \pm r^2$ hyperbola

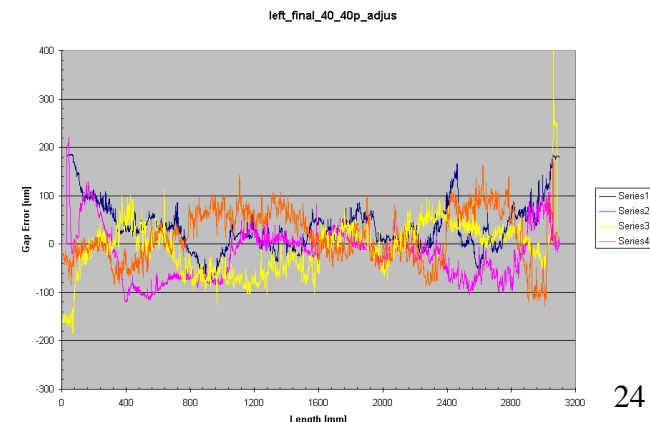
sextupole $3x^2y - y^3 = \pm r^3$

Practical pole shapes: shims and alignment features

- Dipole example: below a lamination of the LEP main bending magnets, with the pole shims well visible



- Quadrupoles: at the edge of the pole one can put a combination a shim and alignment feature (examples: LHC-MQW, SESAME quads, etc)
- This then also allows to measure the pole distances : special instrumentation can be made for this





Finite Element electromagnetic models

- Aim of the electromagnetic FE models:
 - The exact shape of the yoke needs to be designed
 - Optimize field quality: adjust pole shape, minimize high saturation zones
 - Minimize the total steel amount (magnet weight, raw material cost)
 - Calculate the field: needed for the optics and dynamic aperture modelling
 - transfer function $B_{xsection}(l)$, $\int B dl$, magnetic length
 - multipoles (in the centre of the magnet and integrated) b_n and a_n
- Some Electromagnetic FE software packages that are often used:
 - **Opera** from Cobham: 2D and 3D commercial software see: <http://operafea.com/>
 - “Good old” **Poisson**, 2D: now distributed by LANL-LAACG see: http://laacg.lanl.gov/laacg/services/download_sf.phtml
 - **ROXIE** (CERN) 2D and 3D, specialized for accelerator magnets; single fee license for labs & universities see: <https://espace.cern.ch/roxie/default.aspx>
 - **ANSYS Maxwell**: 2D and 3D commercial software see: <http://www.ansys.com/Products/Electronics/ANSYS-Maxwell>

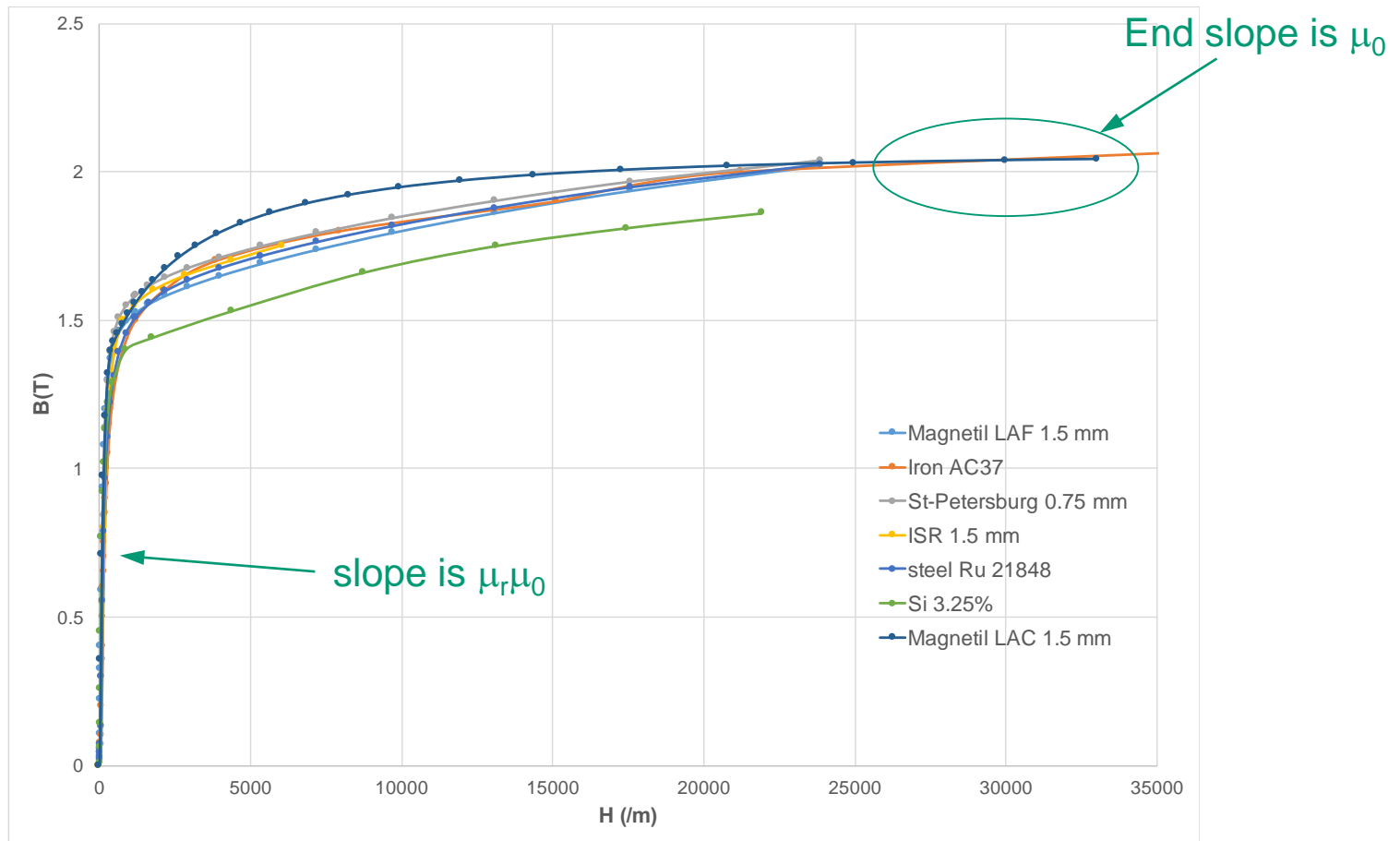
FE models: steel curves

You can use a close 'generic' B(H) curve for a first cut design

You HAVE to use a measured, and smoothed, curve to properly calculate

$B_{xsection}(l)$, $\int B dl$, b_n and a_n

As illustration the curves for several types of steel:



Yoke shape, pole shape: FE model optimization

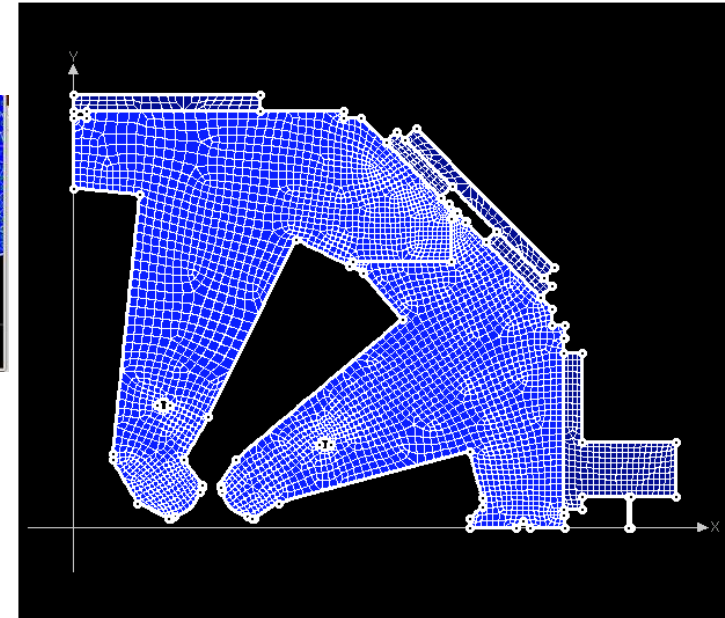
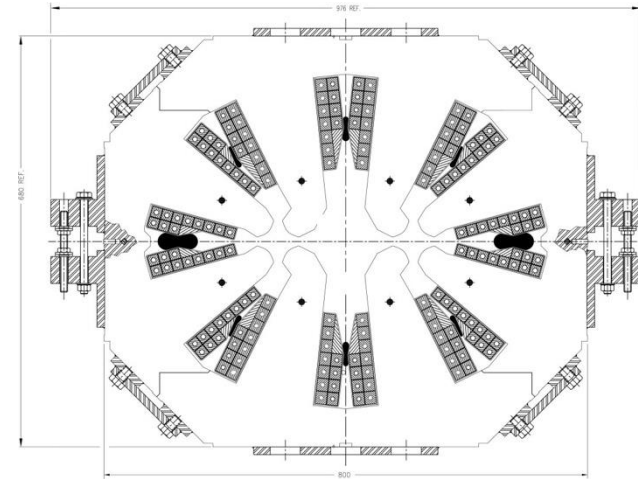
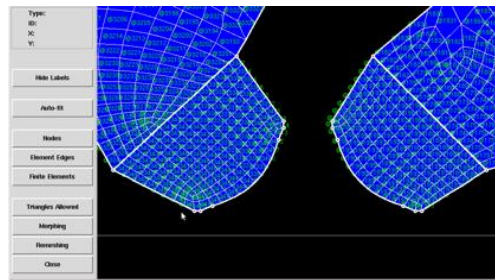
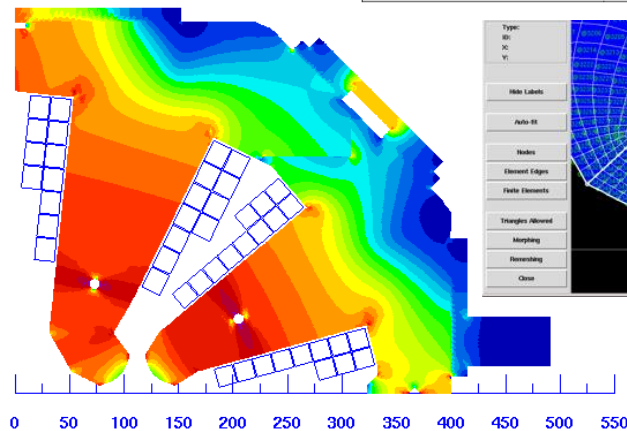
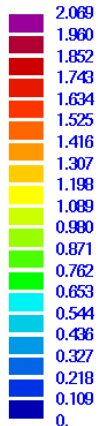
Use symmetry and the thus appropriate boundary conditions to model only $\frac{1}{4}$ th (dipoles, quadrupoles) or even $\frac{1}{6}$ th sextupoles.

Meshing needs attention in the detailed areas like poles, slits, etc

Table 8.6: Main parameters of the MQW normal conducting quadrupole magnet

Magnet type	MQWA	MQWB
Magnetic length		3.1 m
Beam separation		224 mm
Aperture diameter		46 mm
Operating temperature		< 65° C
Nominal gradient	35 T/m	30 T/m
Nominal current	710 A	600 A
Inductance		28 mH
Resistance		37 mΩ
Conductor X-section	20.5 x 18.0 mm ² inner poles 17.0 x 17.0 mm ² outer poles	
Cooling hole diameter	7 mm inner poles, 8 mm outer poles	
Number of turns per magnet	8 x 11	
Minimum water flow	28 l/min	
Dissipated power at I_{nom}	19 kW	14 kW
Mass	11700 kg	

|Btot| (T)





Yoke manufacturing

- Yokes are nearly always laminated to reduce eddy currents during ramping
- Laminations can be coated with an inorganic (oxidation, phosphating, Carlite) or organic (epoxy) layer to increase the resistance
- Magnetic properties: depend on chemical composition + temperature and mechanical history
- Important parameters: coercive field H_c and the saturation induction.
 - H_c has an impact on the remnant field at low current
 - $H_c < 80$ A/m typical
 - $H_c < 20$ A/m for magnets ranging down also to low field $B < 0.05$ T
 - low carbon steel (C content $< 0.006\%$) is best for higher fields $B > 1$ T

Field Strength [A/m]	Minimum Induction [T]
40	0.20
60	0.50
120	0.95
500	1.4
1 200	1.5
2 500	1.62
5 000	1.71
10 000	1.81
24 000	2.00

Example specification for 1.5 mm thick oxide coated steel for the LHC warm separation magnets, $B_{max} = 1.53$ T

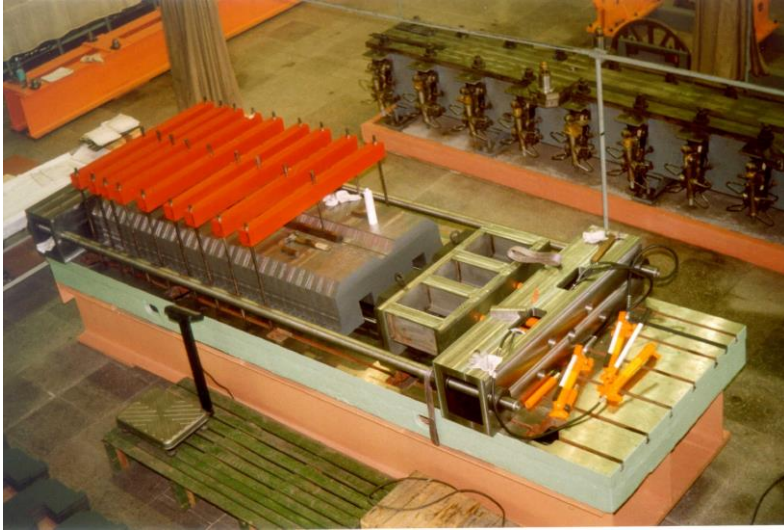
Field Strength H [A/m]	Minimum Induction B [T]
100	0.07
300	1.05
500	1.35
1000	1.50
2500	1.62
5000	1.72
10000	1.82

Example specification for 0.5 mm thick epoxy coated steel for LHC transfer line corrector magnet $B_{max} = 0.3$ T



Yoke manufacturing

Stacking an MBW dipole yoke stack



Stacking an MQW quadrupole yoke stack



MQW yoke assembly



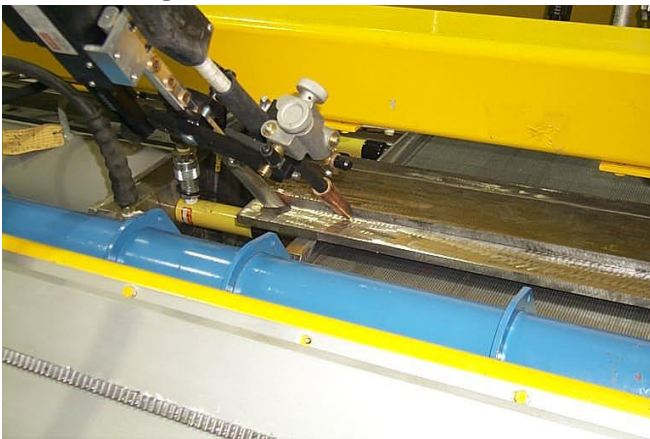
Yoke stack manufacturing

Double aperture LHC quadrupole MQW

Stacking on a precision table



Welding the structural plates



Finished stack



Yokes: holding a laminated stack together

- Yokes are either
 - Glued , using epoxy coated laminations
 - Welded, full length plates are welded on the outside
 - Compressed by tie rods in holes
 or a combination of all these
- To be able to keep the yoke (or yoke stack) stable you probably need end plates (can range from ± 1 cm to 5 cm depending on the size)
- The end plates have pole chamfers and often carry end shims

Glued yoke (MCIA LHC TL)



Welded stack

Tie rod





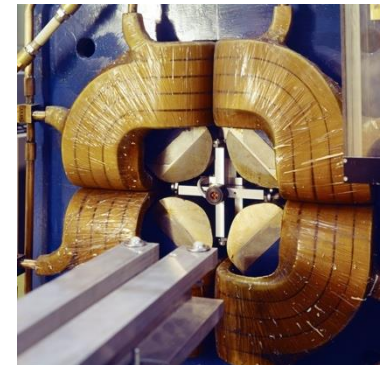
Coil manufacturing, insulation, impregnation type

- Winding Cu conductors is an well established technique
- When the Cu conductor is thick it is best to use “dead soft” Cu (T treatment)
- Insulation of the coil
 - Glass fibre – epoxy impregnated
 - Individual conductor 0.5 mm glass fibre, 0.25 mm tape wound half lapped
 - Impregnated with radiation resistant epoxy, total glass volume ratio >50%
 - For thin conductors: Cu enamel coated, possibly epoxy impregnated afterwards

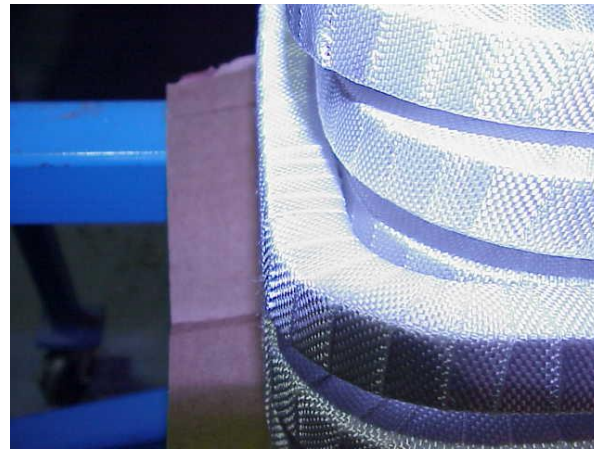
For dipoles some main types are racetrack of bedstead



Quadrupoles



MQW Glass fibre tape wrapping.



Glass fiber tape winding



Winding the hollow Cu conductor



winding



Mounted coil



coil electrical test (under water !)



Dipoles racetrack coil



MBXW Coil winding

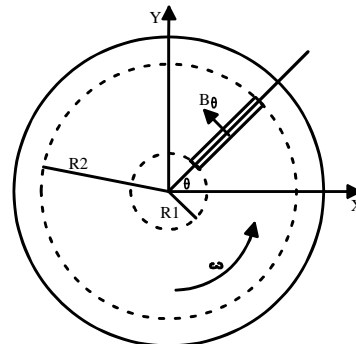
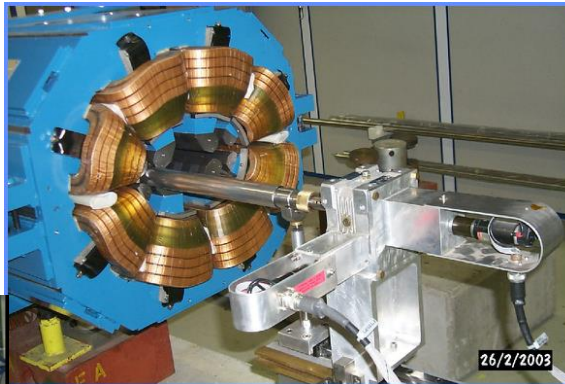
Finished MBXW coil



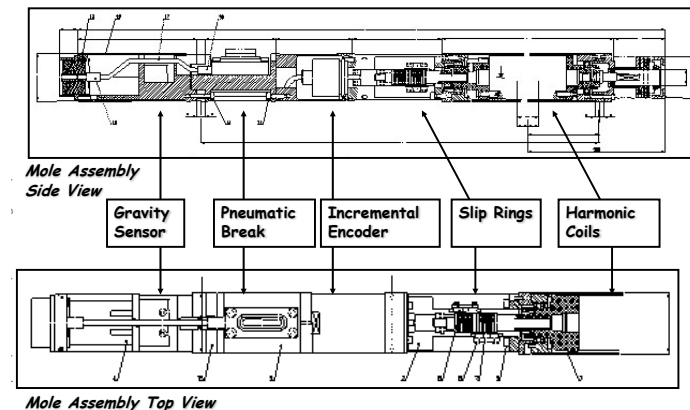
Magnetic field measurements

Several Magnetic Measurements techniques can be applied, e.g.:

- Rotating coils: multipoles and integrated field or gradient in all magnets
- Stretched wire: magnetic centre and integrated gradient for $n > 1$ magnets
- Hall probes: field map
- Pickup coils: field on a current ramp
- Example below : MQW : double aperture quadrupole for the LHC.



Rotating radial coil

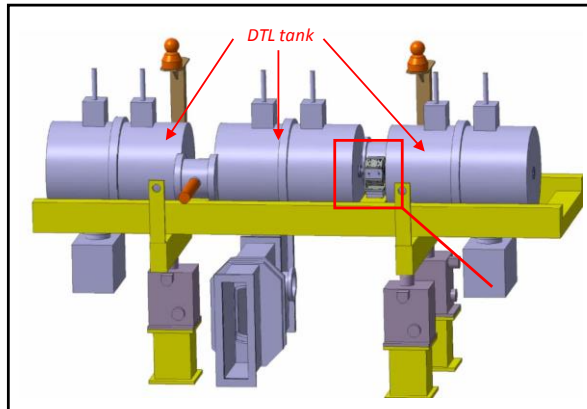


Sextupoles

- These are sextupoles (with embedded correctors) of the main ring of the SESAME light source



Linac4 @ CERN permanent magnets , quadrupoles



Pictured : Cell-Coupled Drift Tube Linac module.

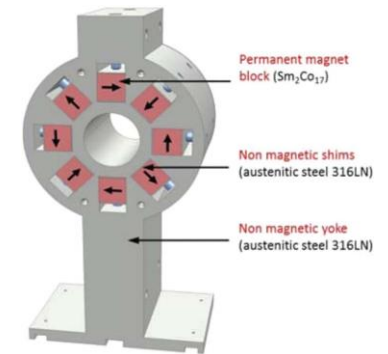
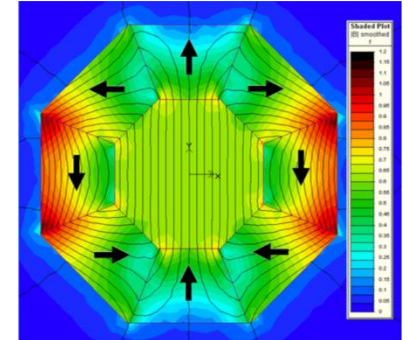
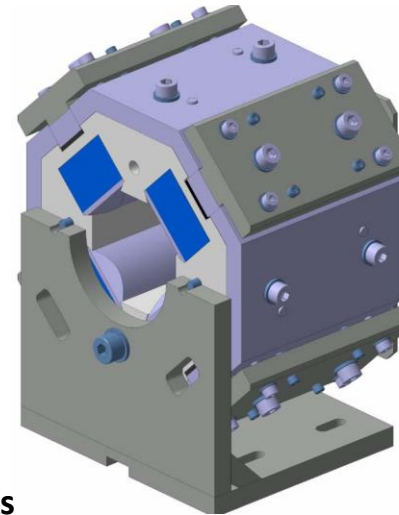
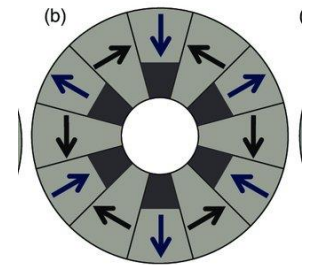
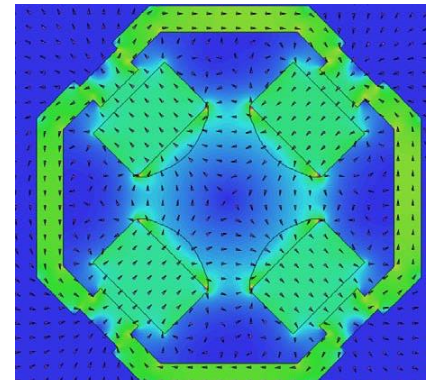


Fig. 1. Schematic layout of the Linac4 permanent-magnet quadrupole.

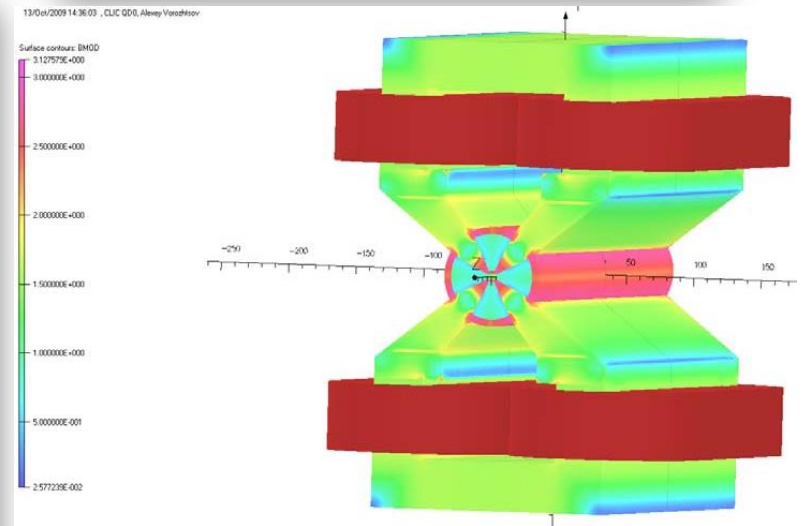
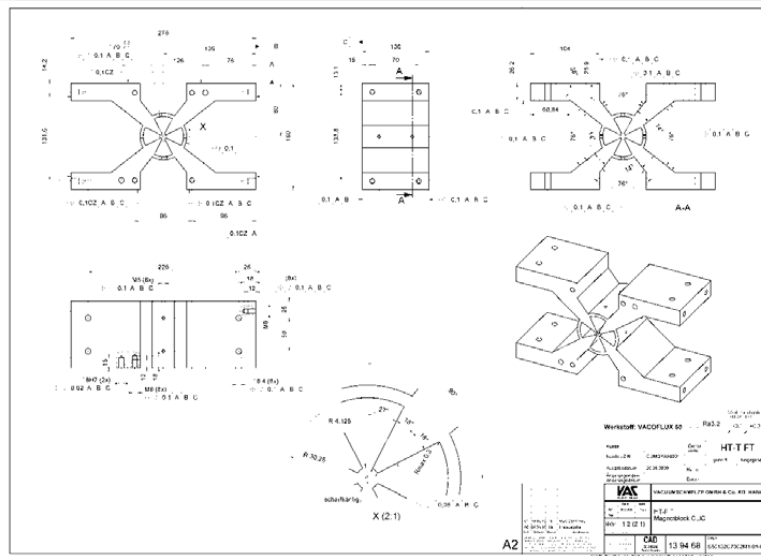
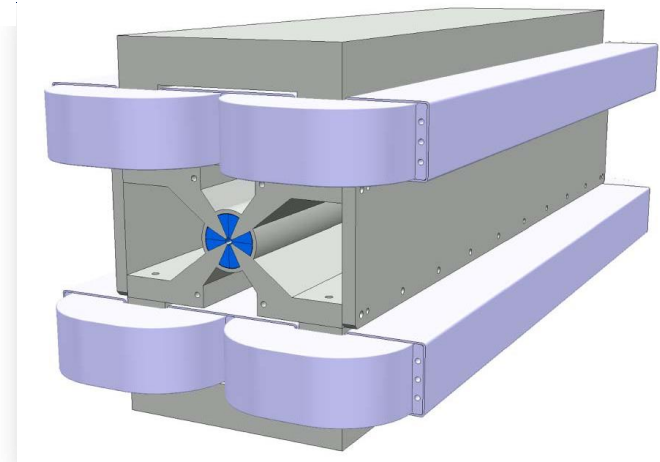
- Permanent magnet because of space between DTL tanks
- $\text{Sm}_2\text{Co}_{17}$ permanent magnets
- Integrated gradient of 1.3 to 1.6 Tesla
- 15 magnets
- Magnet length 0.100 m
- Field quality/amplitude tuning blocks



Sextupole Hallback Array 38

CLIC final focus,

Gradient: $> 530 \text{ T/m}$
Aperture \varnothing : 8.25 mm
Tunability: 10-100%

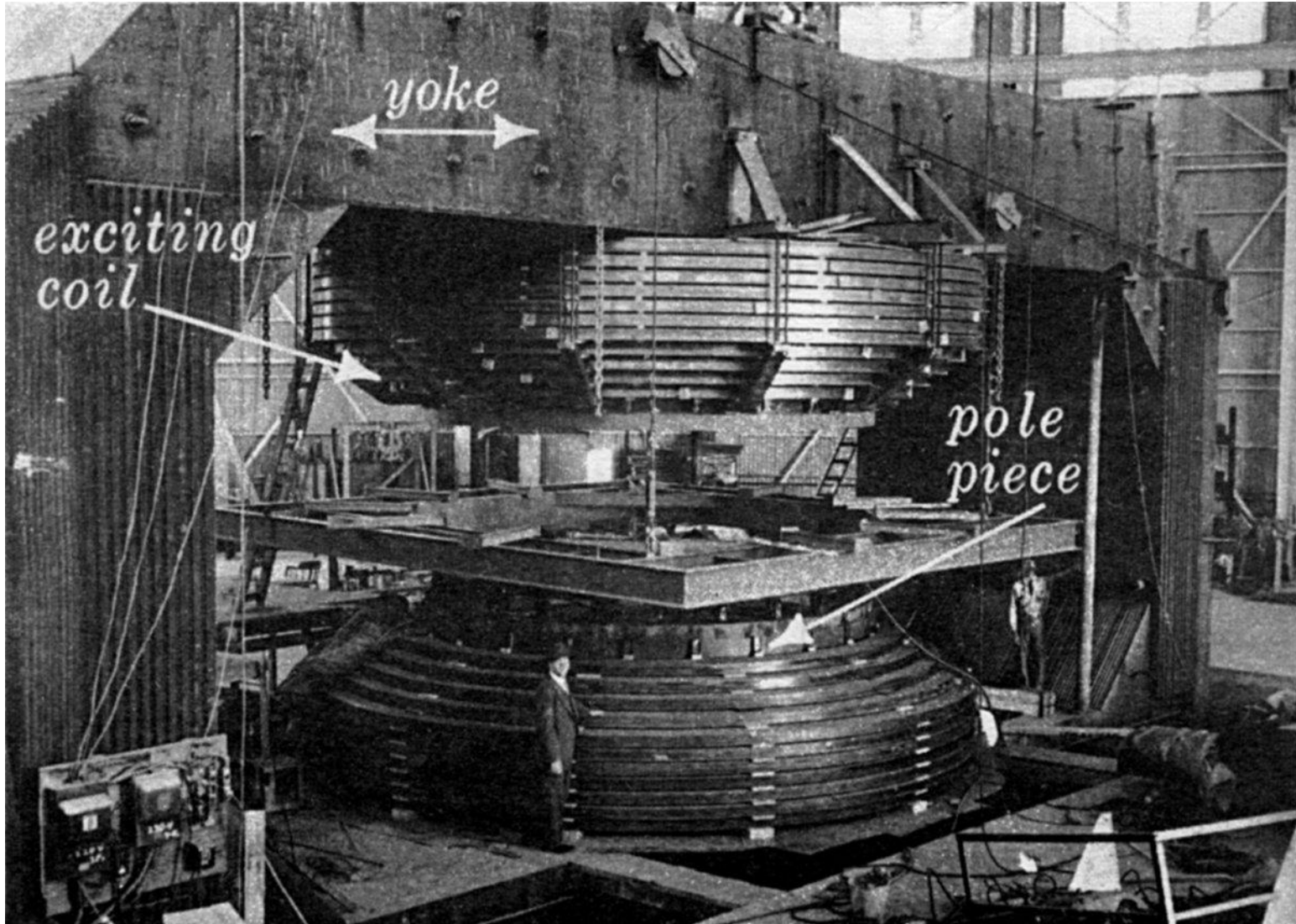


Courtesy D. Tommasini, CERN

Examples;

Some history, some modern regular magnets and some special cases

The 184" (4.7 m) cyclotron at Berkeley (1942)

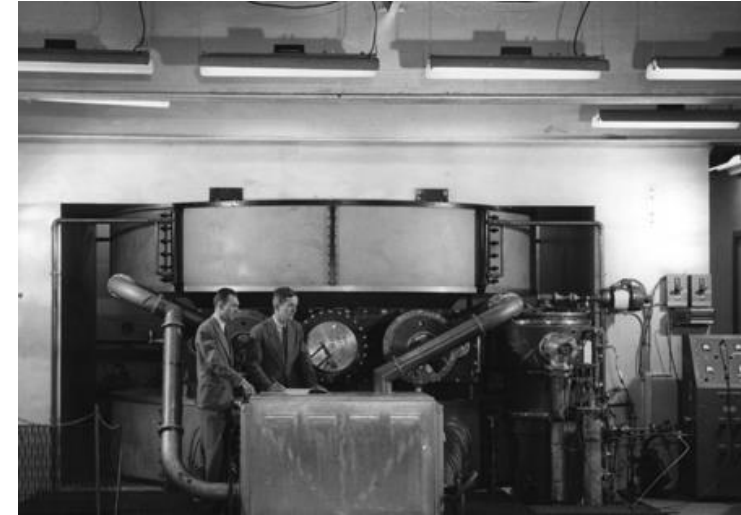


Courtesy A. Milanese, CERN



PSI

PSI= 590 MeV proton 1974



Harvard 1948



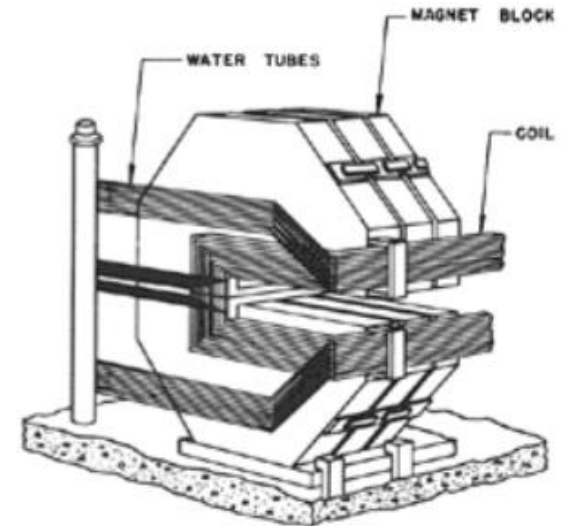
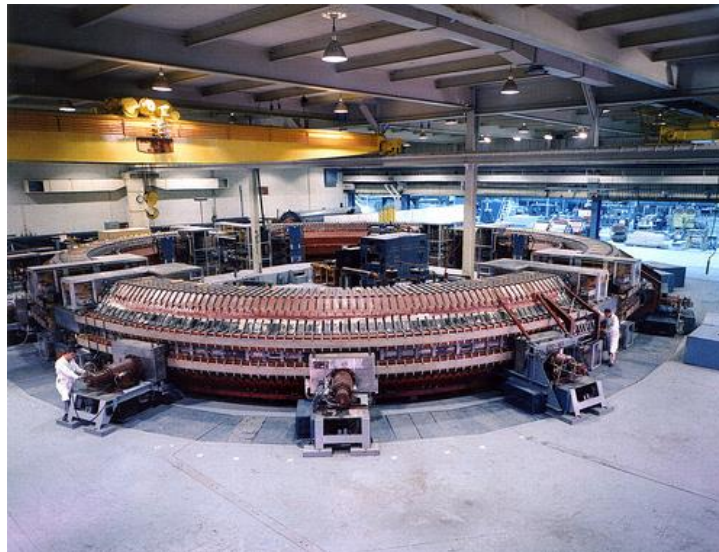
Feb/2013, courtesy:
P.Verbruggen, IBA

Some early magnets (early 1950-ies)

Bevatron
(Berkeley)
1954, 6.2 GeV



Cosmotron
(Brookhaven)
1953, 3.3 GeV
Aperture:
20 cm x 60 cm



PS combined function dipole

Magnetic field:

at injection

147 G

for 24.3 GeV

1.2 T

maximum

1.4 T

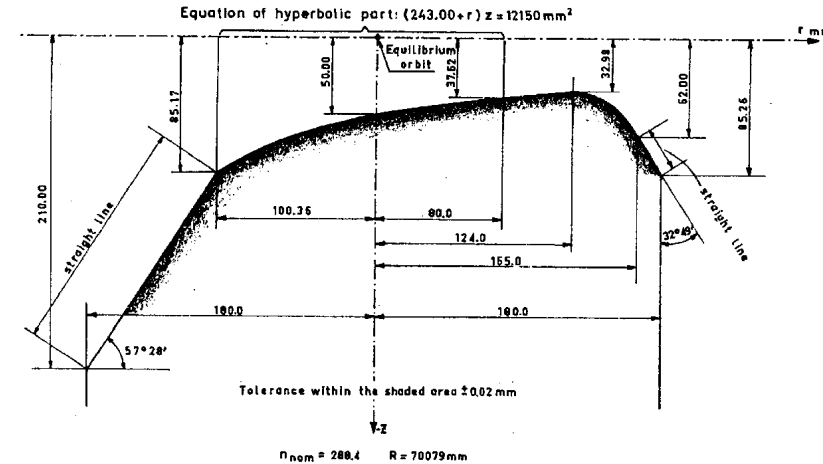
Weight of one magnet unit

38 t

Gradient @ 1.2 T : 5 T/m

Equipped with pole-face windings for higher order corrections

Water cooled Al race-track coils



FINAL POLE PROFILE.

Fig. 9: Final pole profile.

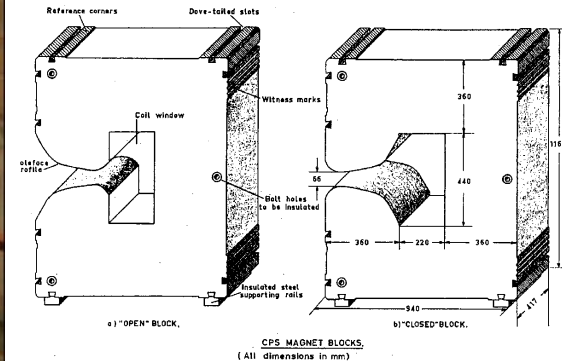
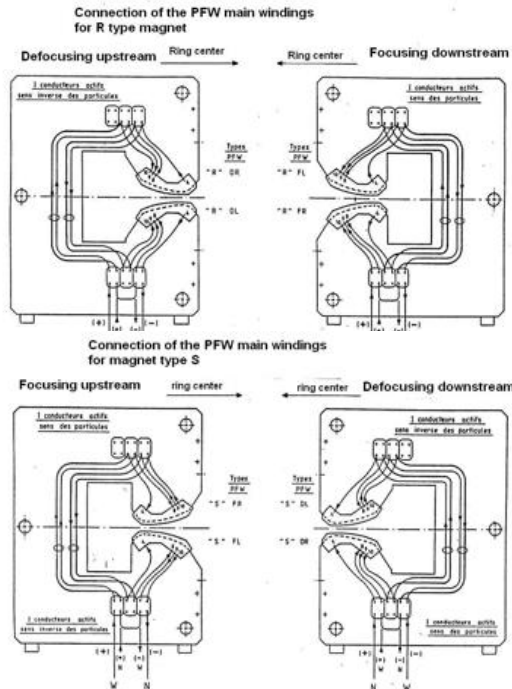
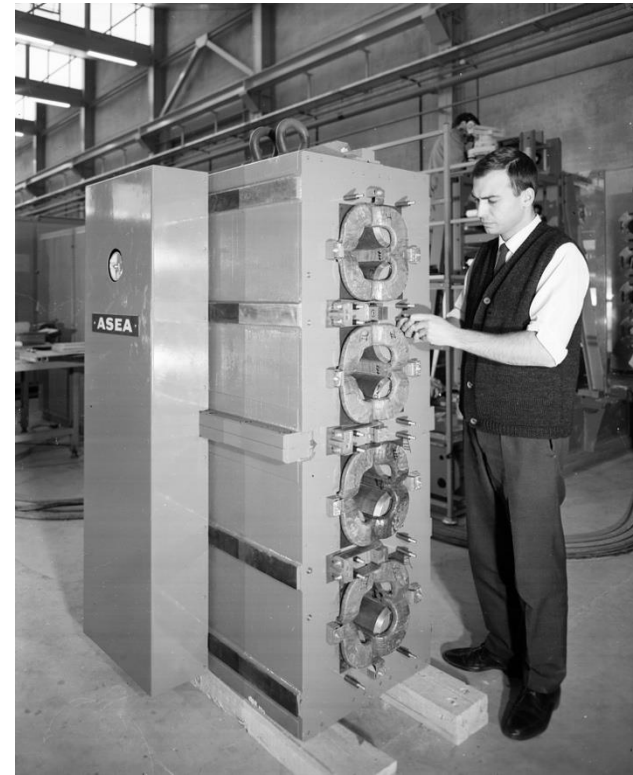


Fig. 12: Final form of the magnet blocks.

CPS booster

4 accelerator rings in a common yoke. (increase total beam intensity by 4 in presence of space charge limitation at low energy): $B=1.48 \text{ T @ } 2 \text{ GeV}$

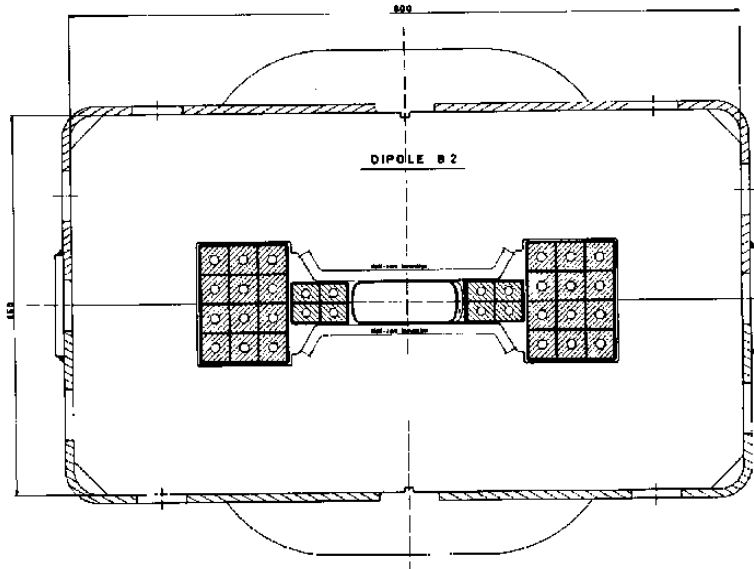
Was originally designed for 0.8 GeV !



Courtesy D. Tommasini, CERN



dipole magnet : SPS dipole

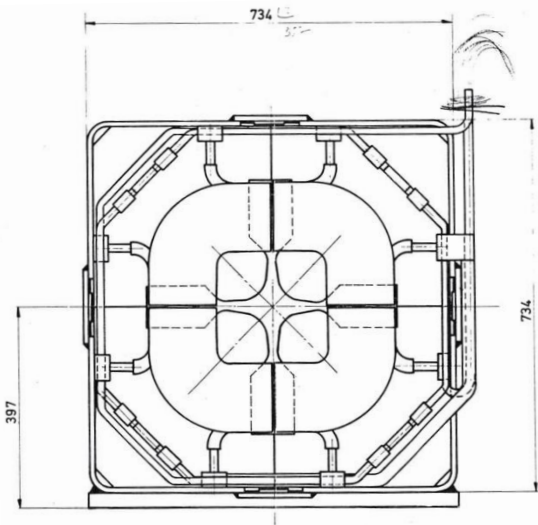


H magnet type MBB
 $B = 2.05 \text{ T}$
 Coil : 16 turns
 $I_{max} = 4900 \text{ A}$
 Aperture = $52 \times 92 \text{ mm}^2$
 $L = 6.26 \text{ m}$
 Weight = 17 t





Quadrupole magnet : SPS quadrupole



type MQ

$G = 20.7 \text{ T/m}$

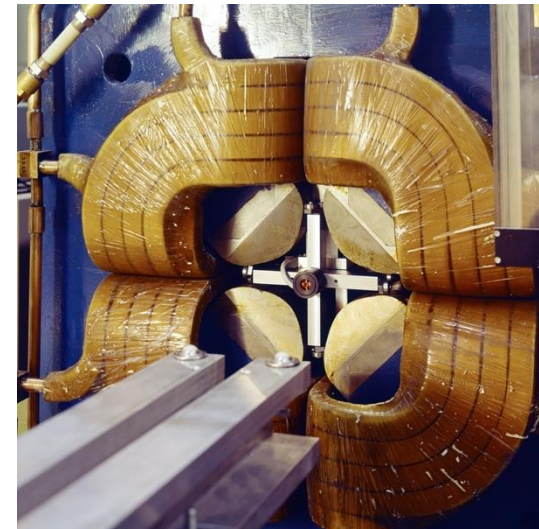
Coil : 16 turns

$I_{\max} = 1938 \text{ A}$

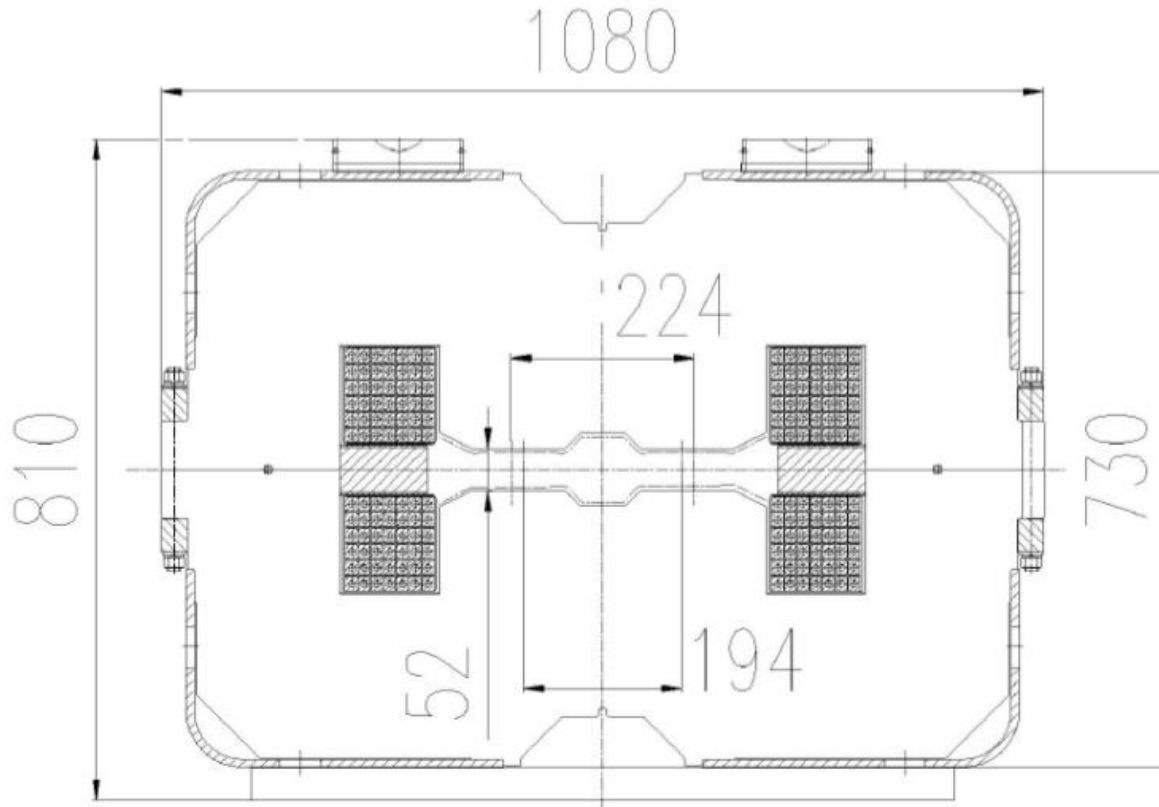
Aperture inscribed radius = 44 mm

$L_{\text{coil}} = 3.2 \text{ m}$

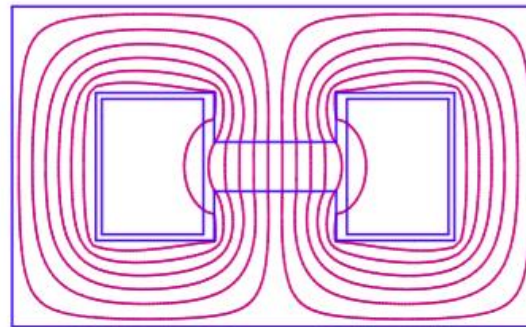
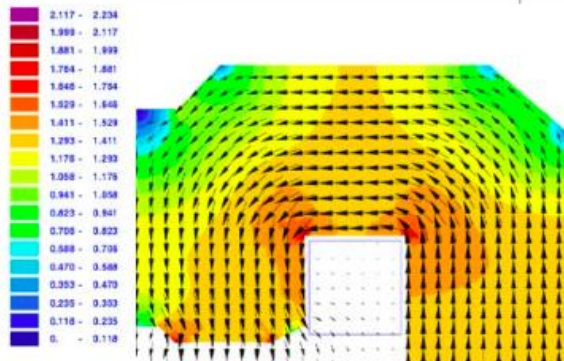
Weight = 8.4 t



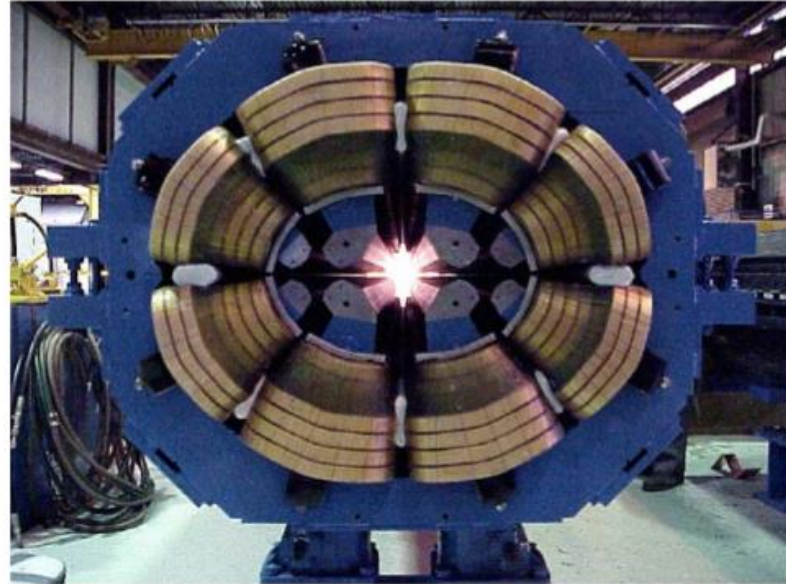
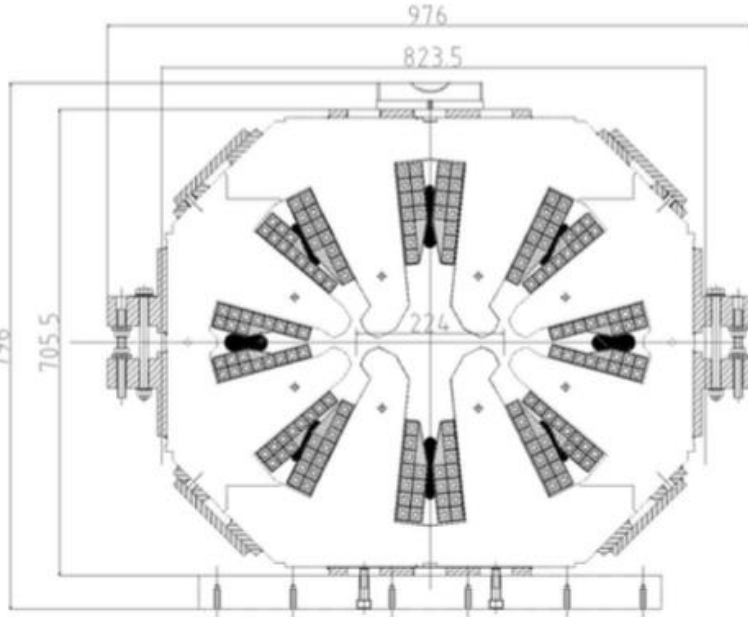
MBW LHC warm separation dipole (1)



Parameter	Value
Aperture	52 mm
Nominal field	1.42 T
Magnetic length	3.4 m
Weight	18 t
Water flow	19 l/min
Power	29 kW



MQW: LHC warm double aperture quadrupole

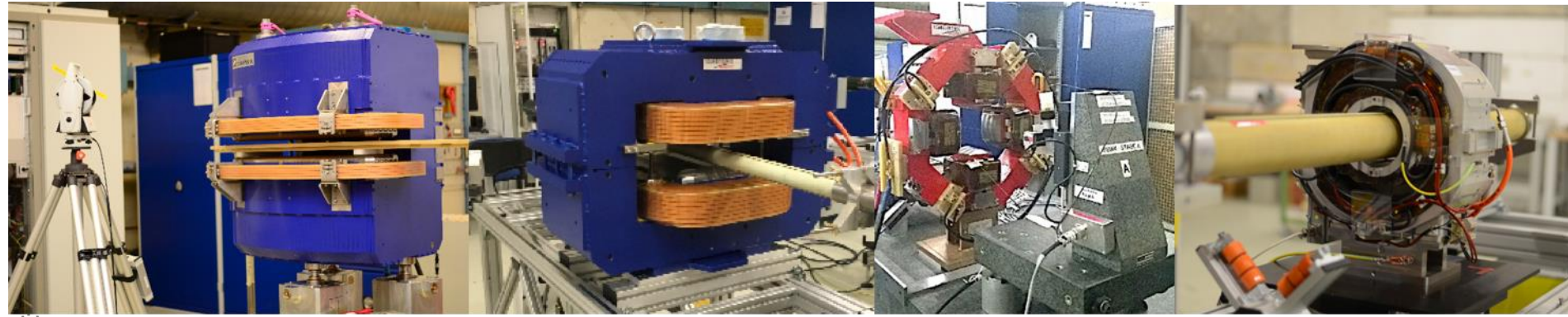




Elena, anti proton decelerator

•

GdR



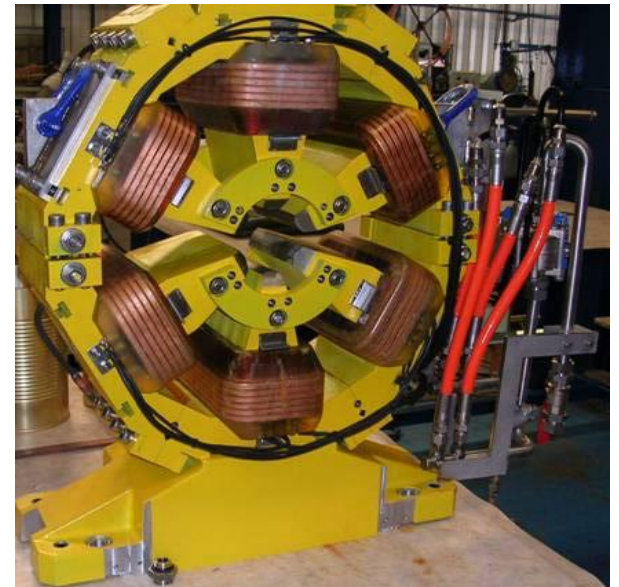
Ring dipoles 8/8

TL dipoles 3/3

Skew quads 3/3

HV correctors 3/14

Soleil, synchrotron light-source



Courtesy A. Dael, CEA



Literature on warm accelerator magnets

- Books

- G.E.Fisher, “Iron Dominated Magnets” AIP Conf. Proc., 1987 -- Volume 153, pp. 1120-1227
- J. Tanabe, “Iron Dominated Electromagnets”, World Scientific, ISBN 978-981-256-381-1, May 2005
- P. Campbell, Permanent Magnet Materials and their Application, ISBN-13: 978-0521566889
- S. Russenschuck, Field computation for accelerator magnets : analytical and numerical methods for electromagnetic design and optimization / Weinheim : Wiley, 2010. - 757 p.

- Schools

- CAS Bruges, 2009, specialized course on magnets, 2009, CERN-2010-004
- CAS Frascati 2008, Magnets (Warm) by D. Einfeld
- CAS Varna 2010, Magnets (Warm) by D. Tommasini

- Papers and reports

- D. Tommasini, “Practical definitions and formulae for magnets,” CERN,Tech. Rep. EDMS 1162401, 2011



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Thomas Zickler

And to the people who taught me, years ago, all the fine details about magnets !



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